# Mars Orbiter Camera 

# Software Interface Specification <br> Narrow Angle and Wide Angle Standard Data Products 

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## 1. Introduction

### 1.1. Purpose

This document describes the format of the Mars Orbiter Camera (MOC, previously known as the Mars Observer Camera) Narrow Angle (NA) and Wide Angle (WA) Standard Data Products.

### 1.2. Scope

The format and content specifications in this SIS apply to all phases of the project for which this product is available.

### 1.3. Applicable Documents

Mars Global Surveyor Science Data Management Plan (JPL 542-310)
Mars Global Surveyor Project Archive Generation, Validation and Transfer Plan (JPL 542-312)
Mars Global Surveyor Project Data Management Plan (JPL 542-403)
Mars Observer Camera Software User's Guide (Part 1: Flight Software)
Mars Observer Camera Instrument Template (I-Kernel PDS document)
Mars Observer Project Archive Policy and Data Transfer Plan, 642-447.
Planetary Science Data Dictionary Document, PDS Version 2.0, May 1991.
Margaret Cribbs, "Comments on the MOC label", IOM\# 361-92-MAC016, 2 April 1992.

### 1.4. Functional Description

### 1.4.1. Data Content Summary

Each MOC Standard Data Product is a single image in the compressed format as delivered from the instrument. The data have been depacketized and reformatted with standard labels, but are otherwise "raw"; that is, as received from the instrument. In that sense these products are most closely analogous to the Experiment Data Record (EDR) products of previous missions.
The only formatting differences between Narrow and Wide Angle products are the maximum possible width of the image ( 2048 for the Narrow Angle and 3456 for the Wide Angle) and the presence or values of some of the keywords; the products are otherwise formatted identically.

### 1.4.2. Source and Transfer Method

MOC products are produced by the makepds program from the format internally used at the MOC Mission Operations Facility (MOF). This program reads a raw MOC Science Data Protocol (MSDP) file (see the MOC Software User's Guide), extracts some information from its headers, formats and attaches the PDS labels, and appends the compressed fragment data.
It is expected that there will be two ways to receive MOC products: by electronic file transfer from the Planetary Data System, and on some archival medium such as CD-ROM.

### 1.4.3. Recipients and Utilization

These products will be available to MOC team members, the Mars Global Surveyor science community, the planetary science community, and other interested parties. Descriptions of data rights and proprietary periods are beyond the scope of this document, and are discussed in the Mars Global Surveyor Project Archive Policy and Data Transfer Plan, and in unique Operational Interface Agreements between the MOC Science Team and other parties.

These products will be used for engineering support, direct science analysis, or the construction of other science products.

### 1.4.4. Pertinent Relationships with Other Interfaces

See the MOC Software User's Guide for descriptions of other interfaces.

### 1.5. Assumptions and Constraints

Note that this file contains compressed image data. Decompression will result in a raw image that is not corrected for instrument signature, effects of spacecraft motion, or the effects of imaging geometry. Although there is enough information in the header to do some processing, for more sophisticated processing ancillary files will be required. These ancillary files are not described in this document. Examples of ancillary files are calibration files, viewing geometry files (e.g., SPICE kernels), image index tables, etc.

## 2. Environment

### 2.1. Hardware Characteristics and Limitations

### 2.1.1. Special Equipment and Device Interfaces

Interfaces to access either CD-ROM volumes or electronic file transfer are described elsewhere; for example, see TBD.

### 2.1.2. Special Setup Requirements

None.

### 2.2. Interface Medium Characteristics

### 2.3. Failure Protection, Detection, and Recovery

Raw instrument telemetry will be archived by JPL on CD-ROM. These archives and depacketized compressed image data will be archived at the MOC MOF.

### 2.4. End-of-File Conventions

End-of-file labeling shall comply with SFDU standards; specifically, fixed-size records are used, the header explicitly contains the record offset of each subelement of the dataset, and the size of each subelement can be computed from information in the header.

## 3. Access

### 3.1. Access Tools

Included on each CD-ROM volume will be a tool (derived from the MOC Ground Data System readmsdp program) that decompresses this format into a standard PDS-format image. The tool will be provided in source code form and as executables for several platforms.

### 3.2. Input/Output Protocols

None identified.

### 3.3. Timing and Sequencing Characteristics

None.

## 4. Detailed Interface Specifications

### 4.1. Labeling and Identification

The dataset ID is MGS-M-MOC-2-WASDP-L0-V1.0 for WA products and MGS-M-MOC-2-NASDP-L0V1.0 for NA products.
Each product will have a file name of the form "id.IMQ", where the ID is not to exceed 8 characters, will start with an alphabetic character, and will consist only of alphanumeric characters. The file name will be
unique across all MOC data product files. For mapping-phase images, the ID will be of the form PPPNNNNN, where PPP is a mission phase descriptor and NNNNN is the image index within that mission phase. Case is not significant; under the Unix operating system, the names will be considered to be in all lower-case.

### 4.2. Structure and Organization Overview

All MOC images must be a multiple of 16 pixels in both width and height. Images are broken up into subimages (also called fragments), and each fragment is transmitted separately. Raw and predictively compressed images are reconstructed by concatenating all of their image fragments and then processing; transform compressed images are processed a fragment at a time.
A MOC data product consists of one image. A header identifies various properties of the image and contains a file offset to the compressed data portion of the image. The compressed data are then appended to the end of the file.

| PDS_VERSION_ID | PDS3 |
| :---: | :---: |
| FILE_NAME | "filename" |
| RECORD_TYPE | FIXED_LENGTH |
| RECORD_BYTES | nnnn |
| FILE_RECORDS | nn |
| LABEL_RECORDS | nn |
| ${ }^{\wedge} \mathrm{IMAGE}$ | nn |
| SPACECRAFT_NAME | MARS_GLOBAL_SURVEYOR |
| MISSION_PHASE_NAME | MAPPING |
| TARGET_NAME | MARS |
| INSTRUMENT_ID | MOC |
| PRODUCER_ID | MGS_MOC_TEAM |
| DATA_SET_ID | MGS-M-MOC-2-NA/WA-SDP-L0-V1.0 |
| PRODUCT_CREATION_TIME | yyyy-mm-ddThh:mm:ss.fff |
| SOFTWARE_NAME | "id-string" |
| UPLOAD_ID | "version-id" |
| PRODUCT_ID | "product-id" |
| START_TIME | yyyy-mm-ddThh:mm:ss.fff |
| IMAGE_TIME | yyyy-mm-ddThh:mm:ss.fff |
| SPACECRAFT_CLOCK_START_COUNT | "sclk-string" |
| SPACECRAFT_CLOCK_STOP_COUNT | "N/A" |
| FOCAL_PLANE_TEMPERATURE | ff.fff |
| GAIN_MODE_ID | "gain-id" |
| OFFSET_MODE_ID | "offset-id" |
| LINE_EXPOSURE_DURATION | ff.ffffff |
| DOWNTRACK_SUMMING | nn |
| CROSSTRACK_SUMMING | nn |
| EDIT_MODE_ID | "nnnn" |
| FILTER_NAME | RED or BLUE |
| LINE_EXPOSURE_DURATION | ff.fff |
| RATIONALE_DESC | string |
| DATA_QUALITY_DESC | "OK" or "ERROR" |
| ORBIT_NUMBER | nnnnn |
| OBJECT | IMAGE |
| ENCODING_TYPE | "moc-compression-type" |
| LINES | nnn |
| LINE_SAMPLES | 0 |
| LINE_SUFFIX_BYTES | 0 |
| SAMPLE_TYPE | UNSIGNED_INTEGER |
| SAMPLE_BITS | 8 |
| SAMPLE_BIT_MASK | 2\#11111111\# |
| CHECKSUM | 16\#xxxx\# |
| END_OBJECT |  |
| END |  |

### 4.3. Substructure Definition and Format

## PDS_VERSION_ID

The PDS version number for the header format; e.g., PDS3.
FILE_NAME
The file name for these products; see above.

## RECORD_TYPE

The record type; always FIXED_LENGTH for these products.

## RECORD_BYTES

The number of bytes per record. For these products, 2048.
FILE_RECORDS
The total number of records in this file. The last record will be padded with zeros if necessary.

## LABEL_RECORDS

The number of records used for header data. If needed, the last record of the header will be padded with blanks.

## ${ }^{\wedge}$ IMAGE

A pointer to the starting record of the compressed image file.
SPACECRAFT_NAME
Always MARS_GLOBAL_SURVEYOR.
MISSION_PHASE_NAME
Name of the mission phase; e.g., MAPPING.

## TARGET_NAME

The name of the target body; typically MARS.
PRODUCER_ID
Always MGS_MOC_TEAM.
DATA_SET_ID
MGS-M-MOC-2-WASDP-L0-V1.0 for WA products and MGS-M-MOC-2-NASDP-L0-V1.0 for NA products.

## PRODUCT_CREATION_TIME

Time and date of this file's creation. Note that this time is the time of this file's creation in this format, and does not reflect the acquisition time or the time of any other processing that may be associated with this product.

## SOFTWARE_NAME

Identifier of the version of the MOC Ground Data System software that created this product.

## UPLOAD ID

Identifier of the command file used to acquire this image.

## PRODUCT_ID

(This field replaces the earlier IMAGE_ID field.) This uniquely identifies this MOC product among all MOC products. The MOC product ID format is CCCC/NNNNN, where CCCC is a string descriping the mission subphase and NNNNN is image number in that subphase; e.g., "FHGA/00013".

START_TIME, IMAGE_TIME
SCET (UTC) time at start of image acquisition, as commanded. These two fields are always the same. (IMAGE_TIME is included for compatibility with earlier non-MOC products.)

SPACECRAFT_CLOCK_START_COUNT
Value of spacecraft clock at the actual start of image acquisition. There may be small inconsistencies with START_TIME due to varying correlation between UTC and the spacecraft clock. For purposes of data analysis the spacecraft clock value should be used. The format of this field is compatible with
the NAIF Toolkit software (e.g., "00610499:32") The corresponding STOP_COUNT is not applicable because the timing of a MOC image, once started, is independent of the spacecraft clock.
The following information can be used, along with calibration files to be included on the volume, to calibrate each image. This information is in some sense redundant with that in the E-kernel.

## FOCAL_PLANE_TEMPERATURE

Temperature of focal plane of optical system associated with this image, in degrees Kelvin, at the start of image acquisition.
GAIN_MODE_ID
The MOC gain setting in hexadecimal.
OFFSET_MODE_ID
The MOC offset in integer steps of 5 DN .

## LINE_EXPOSURE_DURATION

Per-line exposure duration in units of milliseconds. The time a given line was acquired can be determined by multiplying the line exposure time by the number of previous lines and adding it to the image start time. Note that the NA implements downtrack summing by increasing the line time; for example, a 2X2 summed image has an actual line time twice that given by this field.

## DOWNTRACK_SUMMING, CROSSTRACK_SUMMING

The MOC can do pixel averaging in the instrument before transmission. For the NA, this must range from 1 (no summing) to 8 x summing, and downtrack and crosstrack summing must be equal. For the WA, downtrack and crosstrack summing range from 1 to 127 , and can be different.

## EDIT_MODE_ID

The edit mode is the first pixel of the CCD sampled for the image acquisition, and thus specifies the off-nadir look angle. For WA products, the special value 3456 indicates that the leading dark reference pixels were acquired as the first eight pixels of each line; the special value 3472 indicates that the trailing dark reference pixels were acquired as the last eight pixels of each line. For WA products, if dark pixels were acquired and compression was enabled, the dark reference pixels are compressed and included in the data. An EDIT_MODE_ID value of " 0 " refers to the first pixel in the array.
FILTER_NAME
Either RED for the red Wide Angle or BLUE for the blue Wide Angle. Does not appear for NA products.

## RATIONALE_DESC

A text description of the scientific purpose for the acquisition of this image; e.g., "Monthly monitoring of aeolian features on summit of Pavonis Mons"
For some specific images, this string will contain a description of the image as actually received; for routine mapping operations, it will more likely be the goal of the image as targeted (which may not be met if the image missed its target significantly, the atmosphere was cloudy, gain parameters were set inappropriately, etc.)
DATA_QUALITY_DESC
This field will be set to "OK" if all fragments of the image are received without detected checksum or sequence errors, and "ERROR" otherwise.
ORBIT_NUMBER
The orbit number from the start of the mapping phase as defined by the MGS Project.
The following describe keywords found internal to the IMAGE object.

## ENCODING_TYPE

one of "NONE" for raw images, "MOC-PRED-direction-table" for predictive compression, "MOC-DCT-requant" for DCT compression, or "MOC-WHT-requant" for WHT compression.

## LINES

Number of lines in the decompressed image.

## LINE SAMPLES

Number of samples per line in the decompressed image. (Each image in the file must have the same number of samples.)

## LINE_PREFIX_BYTES

Number of bytes of prefix information per line. This field is always 0 for MOC products.

## LINE_SUFFIX_BYTES

Number of bytes of suffix information per line. This field is always 0 for MOC products.
SAMPLE_TYPE
Type of each sample; for MOC, always UNSIGNED_INTEGER.
SAMPLE_BITS
Number of bits for each sample; for MOC, always 8.
SAMPLE_BIT_MASK
Bit mask description for each sample; for MOC, always 2\#11111111\#.
CHECKSUM
This is a checksum for the entire data part of this image, to be used for data validation. Because most MOC compression is lossy, there is not a unique decompressed image, so there is no way to provide a checksum for the decompressed data.

### 4.3.1. Header/Trailer Description Details

See above. No trailers are present.

### 4.3.2. Data Description Details

### 4.3.2.1. Geometry

Note that MOC images are acquired and compressed in row-major order by increasing time. The arrangement of CCDs and optics in the MOC somewhat complicates the mapping of pixel to surface feature. Suppose an image acquired while the spacecraft was moving south to north were displayed in left-to-right, top-to-bottom order on a monitor. For MOC A, the red WA image would have east at the left, and the NA and blue WA would have west at the left. The situation for the MOC B half-system is complex. The MOC B NA would have east at the left, because its CCD is flipped relative to MOC A's. The optical arrangements of the WAs are obviously still the same, but the wide angles are interchanged in a wiring sense on MOC B. However, the flight software compensates for this such that the WA images are the same from both systems.

The following table shows the compass direction on the planet that appears on the left side of an image as defined above.

|  | NA | WA red | WA blue |
| :--- | :--- | :--- | :--- |
| MOCA | west | east | west |
| MOCB | east | east | west |

It is suggested that ancillary products be used to systematically display images in north-up, west-left form. The decompression tool does not perform this transformation.

### 4.3.2.2. Internal header

The compressed image portion of the file consists of the concatenated MOC Science Data Protocol (MSDP) "fragments" received from the instrument (see the MOC Flight Software User's Guide for details.) Each fragment begins with a 62-byte header and ends with a 1-byte checksum, according to the following format:

```
Offset Length Name Definition
```

| (Octet) (Octet) |  |  |  |
| :--- | :--- | :--- | :--- |
| 0 | 2 | SDID | The ID number of the entire image. |
| 2 | 2 | SDNUM | The subimage number of this datagram. |
| 4 | 2 | SDOFF | The offset downtrack of this datagram. |
| 6 | 2 | SDLINE | The length downtrack of this datagram. |
| 8 | 5 | SDTIME | The timestamp of the start of the entire image. |
| 13 | 1 | SDSTAT | Some of this datagram's status. |
| 14 | 17 | SDCMD | The command that caused the entire image. |
| 31 | 5 | SDCTXT | The context image parameters. |
| 36 | 2 | SDGO | The camera gain and offset at the start of the entire |
|  |  |  | image. |
| 38 | 2 | EMPTY |  |
| 40 | 2 | SDDOWN | The number of lines downtrack in the entire image. |
| 42 | 2 | SDEDIT | The crosstrack editing performed. |
| 44 | 8 | SDCOMP | The compression table entry used for the entire image. |
| 52 | 2 | SDSENS | The sensor values associate with the entire image. |
| 54 | 4 | SDOTHER The clocking rate of the camera CCD and dark reference |  |
|  |  |  | pixel flag at the start of the entire image. |
| 58 | 4 | SDLEN | The number of octets in SDDAT part of this datagram. |
| 62 | SDLEN | SDDAT | The data portion of this datagram. |
| $62+S D L E N ~$ | 1 | SDCS | The checksum redundancy of this datagram. |

Note that all integer values appear in "little-endian" (i.e., least significant byte lower in memory) order.
For the purposes of decompressing the data, only the SDLEN and SDCOMP fields are used. See the source code for the decompression tool for details. Other fields are redundant with the labels of the file; the entire header is stored in this product only for simplicity.

### 4.3.2.3. Raw data

A raw MOC image is broken up into fragments containing 245760 ( 240 K ) bytes of image data (except for the last fragment in an image.) An individual fragment need not contain an integral number of lines of data. The entire image can be reconstructed by concatenating the data segments of all fragments.
Dark reference pixels can only be acquired for raw images. If they were acquired for the NA, they appear as the first four pixels on each line. For the WA, they appear as either the first eight or last eight pixels on each line.

### 4.3.2.4. Transform compression

A transform-compressed MOC image is broken up into a collection of 16x16-pixel regions called transform blocks, which are ordered in column-major order (top-to-bottom, then left-to-right.)
Each image is broken up into fragments such that each image fragment is a multiple of 16 lines in size and fits, decompressed, into no more than 240 Kbytes. Each compressed fragment is transmitted separately.
As transmitted, the transform block consists of the 256 Discrete Cosine Transform (DCT) or WalshHadamard Transform (WHT) coefficients resulting from application of the 2D DCT or WHT to the original input pixel values. With the exception of the DC term, these coefficients are requantized (by division by a constant factor) and those coefficients sufficiently close to zero are "truncated" (omitted), starting with the high-frequency coefficients. Each coefficient position has one of 8 fixed Huffman encoding schemes assigned to it, and the coefficients are transmitted in encoded form. Truncation and transmission are done based on "radial" ordering; see Appendix A for the table mapping 1-D radial order to 2-D frequency order.
Note that each transform block is assigned to a group. Different groups are determined to be sufficiently different to have different encoding statistics. The number of groups for a given compressed fragment is set by ground command and must be in the range [1,8]. A group may be empty (that is, have no transform blocks in it.)

The DC coefficient is optimally requantized into 8 bits and is transmitted in unencoded form.
The coefficients, once decoded, are represented as 16-bit signed integers, with the exception of the DC coefficient, which should be treated as 16-bit unsigned.

The Huffman encoding schemes encode 16-bit signed values into variable-length bit strings with a maximum length of 24 bits. Coefficients that exceed the range of the encoding scheme are encoded with a distinguished "too negative" or "too positive" code followed by the 15 bits of the coefficient (since the sign is implied by the escape code, it is not output.) The coefficient encoding schemes are given in Appendix B.
The data part of the fragment consists of

```
for each block
    3 bits indicating the group the block was placed into.
for each group with non-zero occupancy
    16 bits minimum DC coefficient in group
    16 bits maximum DC coefficient in group
    for each coefficient in a transform block
            3 bits specifying the Huffman encoding to be used
            (from the 8 available)
    for each block in this group
            8 bits DC coefficient
            (using max and min DC, can be reconstructed into 16-bit form)
            8 bits number of zero-truncated coefficients
            for each untruncated coefficient (in radial order)
                    1 to 24 bits Huffman encoded coefficient, or
                    escape code and literal coefficient
```

After decoding, each AC coefficient must be multiplied by the requantization factor for this fragment, the block is reordered, and then the whole block is run through the inverse DCT or WHT to create the final 8bit output block. A generic inverse DCT algorithm is given in Appendix C; we do not expect to use the WHT frequently during MOC operations, but it is included for completeness.

The final byte is padded with " 0 " bits.

### 4.3.2.5. Predictive compression

A predictively-compressed MOC image is broken up into fragments containing 240 Kbytes of compressed data (except for the last fragment in an image.) An individual fragment need not contain an integral number of lines of data. (The image width will be referred to as W.)
The data consists of two kinds of lines: compressed lines and sync lines. Sync lines are output every 128 lines and the first line output is a sync line. A sync line consists of

0 to 15 bits of " 0 " bits to pad the data stream to a word boundary

16 bits of sync code (two bytes, 0xca 0xf0)
W 8-bit requantized image pixels
Errors in the downlink caused by dropped packets or bit errors can be compensated for by locating the next sync line (by searching forward for the 16-bit sync pattern) and restarting the decompression process. Otherwise, a single error could potentially ruin the rest of the image.
A compressed line consists of
W 1- to 15-bit Huffman-coded difference values
Note that lines, either sync or compressed, can cross fragment boundaries.

Difference values are calculated as follows:

$$
\begin{aligned}
& \text { X: delta }=\text { cur }- \text { left } \\
& \text { Y: delta }=\text { cur }- \text { up } \\
& \text { XY: delta }=\text { cur }+ \text { diag }- \text { up }- \text { left }
\end{aligned}
$$

where the pixels are oriented thus:

| diag | up |
| :--- | :--- |
| left | cur |

Though difference values are encoded statistically as signed 8-bit quantities with values from -128 to +127 , they should be treated as unsigned 8 -bit numbers in all differencing calculations. All calculations are performed modulo-256. This allows lossless encoding of all 8-bit input images.
Higher-rate, lossy predictive compression is supported by requantization of difference values. This requantization is performed by table lookup. Before a difference value is encoded, it is replaced by the value contained in the difference value's slot in the requantization table. Subsequently, the compressor behaves as though the difference value was the new, requantized value. (Note, however, that the encoding table lookup is done with the difference value prior to requantization. This means that the encoding table must have 256 entries even when requantization restricts the number of entries to less than 256.)

The fixed Huffman encoding tables and the requantization tables are given in Appendix D. An algorithm to convert the tables to tree form is given in Appendix E.

### 4.3.2.6. Global map swaths

Although files containing global map swaths have a single field for CROSSTRACK_SUMMING, variable summing is actually applied within the MOC to maintain approximately equal spatial resolution from nadir to limb. There are two defined modes for the global map: $7.5 \mathrm{~km} / \mathrm{pixel}$ nominal (CROSSTRACK_SUMMING = 27) and $3.75 \mathrm{~km} /$ pixel (CROSSTRACK_SUMMING = 13). The variable crosstrack-summing tables used for these two modes are given in appendix F .

### 4.3.3. Data loss considerations

During the MGS mission to date, error-free transmission of the instrument data to Earth has not been provided. The MOC protocols (in particular, the formats for compressed image data, which are partially implemented in hardware) were designed for the bit error rates stated during mission planning and development. These rates were based on the link margin and Reed-Solomon encoding of the data, and were very low except during periods of equipment malfunction or poor weather at the DSN stations. In practice, many unanticipated error sources, most in the Earth segment of the communications link or caused by nonrandom operational sources, have significantly degraded the quality. As a result, considerable data losses were incurred in the image data. The majority of effort in archiving the pre-mapping data was expended to minimize the effects of this data loss.
MOC image data are broken up on transmission into 'packets' of approximately 1000 bytes. A typical data loss is that of one or two packets, due to uncorrectable bit errors caused by noise in the space-to-Earth communications path (rare), momentary loss of receiver lock caused by a transition between the one-way and two-way tracking modes, or loss in the Earth segment of the Deep Space Network.
For uncompressed images, a packet loss leads to loss of 'line sync' in the image. Since the amount of actual image data in a packet is variable and cannot be determined precisely without the packet, such errors must be corrected by hand. The majority of NA images were acquired using the lossless predictive compression mode of the MOC. However, when a packet is lost from this compressed data stream, the decompression algorithm cannot realign itself to the compressed pixel boundaries, and must skip ahead to the next sync marker, which occurs only every 128 lines in the image. The effect of decompressing the data between the site of packet loss and the next sync marker is unpredictable, but usually results in either semirandom variations in pixel brightness (with the general morphology of the original image still visible) or essentially random noise patterns.

A second type of loss is that of tens or hundreds of packets caused by bad weather, hardware failure, or operator error at the DSN stations, or miscommanding of the telemetry playback on the spacecraft. For these errors in a compressed data stream, over 128 lines of the image were lost, making it impossible to recover even the original downtrack size of the image.
The MOC ground software that produces the archival data, and the decompression tool provided, may perform some limited correction of these errors. Correct and complete reconstruction should only be expected if there are no detected checksum errors or sequence gaps in the data; i.e., if the DATA_QUALITY_DESC field is "OK".

### 4.4. Volume, Size, and Frequency Estimates

The total volume of MOC data to be returned was planned at the start of the mission to be approximately 45 GBytes. The extension of the mission due to the solar panel and high-gain antenna problems has affected this volume in a yet-to-be-determined manner. Volume returned varies as a function of the available data rate; see the Archive Policy and Data Management Plan for more details.
It is not known what fraction of total MOC return will be used for products of a particular type (e.g., NA or WA). It is also not known what average amounts of compression will be used, although a nominal value of 5:1 was expected prior to operations. In practice, to date the $2: 1$ lossless mode has been used for the majority of NA images.

## 5. Appendix A: radial order translation table

(IPSLib/reorder.static.h from the flight software.)

```
static uint8 trans[256] = {
    0, 1, 4, 9, 15, 22, 33, 43, 56, 71, 86,104,121,142,166,189,
    2, 3, 6, 11, 17, 26, 35, 45, 58, 73, 90,106,123,146,168,193,
    5, 7, 8, 13, 20, 28, 37, 50, 62, 75, 92,108,129,150,170,195,
    10, 12, 14, 19, 23, 31, 41, 52, 65, 81, 96,113,133,152,175,201,
    16, 18, 21, 24, 30, 39, 48, 59, 69, 83,100,119,137,158,181,203,
    25, 27, 29, 32, 40, 46, 54, 67, 79, 94,109,127,143,164,185,210,
    34, 36, 38, 42, 49, 55, 64, 76, 87,102,117,135,154,176,197,216,
    44, 47, 51, 53, 60, 68, 77, 85, 98,114,131,147,162,183,208,222,
    57, 61, 63, 66, 70, 80, 88, 99,112,124,140,159,179,199,214,227,
    72, 74, 78, 82, 84, 95,103,115,125,139,156,173,190,211,224,233,
    89, 91, 93, 97,101,110,118,132,141,157,171,186,206,220,231,239,
105,107,111,116,120,128,136,148,160,174,187,205,218,229,237,244,
122,126,130,134,138,144,155,163,180,191,207,219,226,235,242,248,
145,149,151,153,161,165,177,184,200,212,221,230,236,241,246,251,
167,169,172,178,182,188,198,209,215,225,232,238,243,247,250,253,
192,194,196,202,204,213,217,223,228,234,240,245,249,252,254,255,
};
```


## 6. Appendix B: transform coefficient Huffman code tables

(IPSLib/encodeCoefs.static.h from the flight software.)

```
/* Number of valid bits (LSBS) in each entry in "code0" */
static uint8 num0[25] = 
\begin{tabular}{rrrrrrrr}
24, & 23, & 20, & 19, & 16, & 14, & 13, & 10, \\
8, & 6, & 5, & 3, & 1, & 2, & 4, & 7, \\
9, & 11, & 12, & 15, & 17, & 18, & 21, & 22, \\
24, & & & & & & &
\end{tabular}
};
```


\};

| /* Huffman code for encoding scheme 1, zero's code is index 23 */ static uint32 code1[47] = \{ |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $0 x f f f f f f, 0 x b f f f f f, 0 x 5 f f f f f, 0 x 2 f f f f f, 0 x 17 f f f f, 0 x 0 b f f f f, 0 x 05 f f f f, 0 x 02 f f f f$, |  |  |  |  |  |  |  |
| $0 \times 017 \mathrm{fff}, 0 \times 00 \mathrm{bfff}, 0 \times 005 \mathrm{fff}, 0 \times 002 \mathrm{fff}, 0 \mathrm{x} 0017 \mathrm{ff}, 0 \mathrm{x} 000 \mathrm{bff}, 0 \mathrm{x} 0005 \mathrm{ff}, 0 \times 0002 \mathrm{ff}$, |  |  |  |  |  |  |  |
| 0x00017f, $0 \times 0000 \mathrm{bf}, 0 \times 00005 \mathrm{f}, 0 \mathrm{x} 00002 \mathrm{f}, 0 \times 000017,0 \mathrm{x} 00000 \mathrm{~b}, 0 \times 000002,0 \times 000001$, |  |  |  |  |  |  |  |
| 0x000000, $0 \times 000003,0 \times 000007,0 x 00000 f, 0 x 00001 \mathrm{f}, 0 \times 00003 \mathrm{f}, 0 \times 00007 \mathrm{f}, 0 \times 0000 \mathrm{ff}$, |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |
| $0 \times 01 f f f f, 0 \times 03 f f f f, 0 x 07 f f f f, 0 x 0 f f f f f, 0 x 1 f f f f f, 0 x 3 f f f f f, 0 x 7 f f f f f$, |  |  |  |  |  |  |  |
| \}; |  |  |  |  |  |  |  |
| /* Number of valid bits (LSBs) in each entry in "code2" */ |  |  |  |  |  |  |  |
| static uint8 num2[69] $=$ \{ |  |  |  |  |  |  |  |
| 24, | 24, | 23, | 23, | 22, | 22, | 21, | 20, |
| 19, | 19, | 18, | 17, | 17, | 16, | 16, | 15 |
| 14, | 14, | 13, | 12, | 11, | 11, | 10, | 9, |
| 9, | 8, | 7, | 7, | 6, | 6 , | 5, | 4, |
| 4, | 3, | 2, | 3, | 3, | 4, | 5, | 5, |
| 6, | 7, | 8, | 8 , | 9, | 10, | 10, | 11, |
| 12, | 12, | 13, | 13, | 14, | 15, | 15, | 16 |
| 17, | 18, | 18, | 19, | 20, | 20, | 21, | 21 |
| 22, | 23, | 23, | 24, | 24, |  |  |  |

; ;
/* Huffman code for encoding scheme 2, zero's code is index 34 */ static uint32 code2[69] $=$ \{
$0 x f f f f f f, 0 x f f f f f d, 0 x 7 f f f f e, 0 x 3 f f f f d, 0 x 1 f f f f e, 0 x 1 f f f f f, 0 x 0 f f f f f, 0 x 07 f f f e$, $0 \times 03 f f f e, 0 x 03 f f f f, 0 x 01 f f f d, 0 x 00 f f f e, 0 x 00 f f f f, 0 \times 007 f f e, 0 \times 007 f f f, 0 \times 003 f f f$, $0 x 001 \mathrm{ffe}, 0 x 001 \mathrm{fff}, 0 x 000 \mathrm{fff}, 0 \times 0007 \mathrm{fe}, 0 \times 0003 \mathrm{fe}, 0 \mathrm{x} 0003 \mathrm{ff}, 0 \times 0001 \mathrm{fe}, 0 \times 0000 \mathrm{fe}$, $0 x 0000 f f, 0 x 00007 d, 0 x 00003 \mathrm{e}, 0 x 00003 d, 0 x 00001 \mathrm{~d}, 0 x 00001 \mathrm{f}, 0 x 00000 \mathrm{~d}, 0 x 000005$, $0 \times 000007,0 x 000001,0 x 000000,0 x 000003,0 \times 000002,0 \times 000006,0 x 00000 f, 0 \times 00000 e$, $0 x 00001 e, 0 x 00003 f, 0 x 00007 f, 0 x 00007 e, 0 \times 0000 f d, 0 x 0001 f f, 0 x 0001 f d, 0 x 0003 f d$, $0 \times 0007 \mathrm{ff}, 0 \times 0007 \mathrm{fd}, 0 \times 000 \mathrm{ffd}, 0 \times 000 \mathrm{ffe}, 0 \times 001 \mathrm{ffd}, 0 \times 003 \mathrm{ffd}, 0 \times 003 \mathrm{ffe}, 0 \times 007 \mathrm{ffd}$, $0 \times 00 f f f d, 0 \times 01 f f f f, 0 x 01 f f f e, 0 \times 03 f f f d, 0 \times 07 f f f f, 0 \times 07 f f f d, 0 x 0 f f f f d, 0 \times 0 f f f f e$, $0 x 1 f f f f d, 0 x 3 f f f f f, 0 x 3 f f f f e, 0 \times 7 f f f f d, 0 x 7 f f f f f$,
\};
/* Number of valid bits (LSBs) in each entry in "code3" */ static uint8 num3[109] $=\{$

|  |  |  |  |  |  |  |  |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 23, | 24, | 24, | 23, | 23, | 22, | 22, | 22, |
| 21, | 21, | 21, | 20, | 20, | 19, | 19, | 18, |
| 18, | 18, | 17, | 17, | 16, | 16, | 16, | 15, |
| 15, | 14, | 14, | 14, | 13, | 13, | 13, | 12, |
| 12, | 11, | 11, | 10, | 10, | 10, | 9, | 9, |
| 9, | 8, | 8, | 7, | 7, | 6, | 6, | 6, |
| 5, | 5, | 4, | 4, | 4, | 3, | 3, | 3, |
| 4, | 4, | 5, | 5, | 5, | 6, | 6, | 7, |
| 7, | 7, | 8, | 8, | 8, | 9, | 9, | 10, |
| 10, | 11, | 11, | 11, | 12, | 12, | 12, | 13, |
| 13, | 14, | 14, | 15, | 15, | 15, | 16, | 16, |
| 17, | 17, | 17, | 18, | 18, | 19, | 19, | 19, |
| 20, | 20, | 20, | 21, | 21, | 22, | 22, | 22, |
| 23, | 23, | 24, | 24, | 23, |  |  |  |
|  |  |  |  |  |  |  |  |

; ;

* Huffman code for encoding scheme 3, zero's code is index 54 */ static uint32 code3[109] = \{
$0 x 7 f f f f f, 0 x f f f f f d, 0 x d f f f f f, 0 x 7 f f f f e, 0 x 3 f f f f d, 0 x 3 f f f f c, 0 x 1 f f f f e, 0 x 3 f f f f b$ $0 \times 0 f f f f e, 0 x 0 f f f f d, 0 x 0 f f f f b, 0 \times 07 f f f d, 0 x 07 f f f f, 0 \times 03 f f f c, 0 x 03 f f f f, 0 \times 01 f f f c$, $0 \times 01 \mathrm{fffe}, 0 \times 01 \mathrm{ffff}, 0 \times 00 \mathrm{fffe}, 0 \times 00 \mathrm{fffd}, 0 \times 007 \mathrm{ffc}, 0 \times 007 \mathrm{ffd}, 0 \times 007 \mathrm{ffb}, 0 \times 003 \mathrm{ffc}$, $0 \times 003 \mathrm{fff}, 0 \times 001 \mathrm{ffc}, 0 \times 001 \mathrm{ffd}, 0 \times 001 \mathrm{fff}, 0 \mathrm{x} 000 \mathrm{ffc}, 0 \times 000 \mathrm{ffd}, 0 \times 000 \mathrm{ffb}, 0 \times 0007 \mathrm{fd}$, $0 x 0007 \mathrm{fb}, 0 \mathrm{x} 0003 \mathrm{fe}, 0 \mathrm{x} 0003 \mathrm{fd}, 0 \mathrm{x} 0001 \mathrm{fc}, 0 \mathrm{x} 0001 \mathrm{fd}, 0 \mathrm{x} 0001 \mathrm{ff}, 0 \mathrm{x} 0000 \mathrm{fc}, 0 \mathrm{x} 0000 \mathrm{ff}$, $0 \times 0000 \mathrm{fb}, 0 x 00007 \mathrm{~d}, 0 \mathrm{x} 00007 \mathrm{~b}, 0 \mathrm{x} 00003 \mathrm{c}, 0 \mathrm{x} 00003 \mathrm{~d}, 0 \mathrm{x} 00001 \mathrm{c}, 0 \mathrm{x} 00001 \mathrm{e}, 0 \mathrm{x} 00001 \mathrm{~b}$, $0 \times 00000 \mathrm{e}, 0 \times 00000 \mathrm{f}, 0 \times 000004,0 \times 000006,0 \times 000003,0 \times 000002,0 \times 000001,0 \times 000000$, $0 \times 000007,0 \times 000005,0 \times 00000 b, 0 \times 00000 \mathrm{~d}, 0 \times 00000 \mathrm{c}, 0 \times 00001 \mathrm{f}, 0 \times 00001 \mathrm{~d}, 0 \times 00003 \mathrm{~b}$, $0 \times 00003 \mathrm{f}, 0 \times 00003 \mathrm{e}, 0 \times 00007 \mathrm{f}, 0 \times 00007 \mathrm{e}, 0 \times 00007 \mathrm{c}, 0 \times 0000 \mathrm{fd}, 0 \times 0000 \mathrm{fe}, 0 \times 0001 \mathrm{fb}$, $0 \times 0001 \mathrm{fe}, 0 \times 0003 \mathrm{fb}, 0 \times 0003 \mathrm{ff}, 0 \times 0003 \mathrm{fc}, 0 \times 0007 \mathrm{ff}, 0 \times 0007 \mathrm{fe}, 0 \times 0007 \mathrm{fc}, 0 \times 000 \mathrm{fff}$, $0 x 000 \mathrm{ffe}, 0 x 001 \mathrm{ffb}, 0 x 001 \mathrm{ffe}, 0 x 003 \mathrm{ffb}, 0 \times 003 \mathrm{ffd}, 0 x 003 \mathrm{ffe}, 0 x 007 \mathrm{fff}, 0 \mathrm{x} 007 \mathrm{ffe}$, $0 x 00 f f f b, 0 x 00 f f f f, 0 x 00 f f f c, 0 x 01 f f f b, 0 x 01 f f f d, 0 x 03 f f f b, 0 x 03 f f f d, 0 x 03 f f f e$, $0 x 07 f f f b, 0 x 07 f f f e, 0 x 07 f f f c, 0 x 0 f f f f f, 0 x 0 f f f f c, 0 x 1 f f f f b, 0 x 1 f f f f d, 0 x 1 f f f f c$, $0 x 1 f f f f f, 0 x 3 f f f f e, 0 x 5 f f f f f, 0 x 7 f f f f d, 0 x 3 f f f f f$,

\};
/* Huffman code for encoding scheme 4, zero's code is index 84 */ static uint32 code4[169] $=\{$
$0 \times 3 f f f f f, 0 x f 7 f f f f, 0 x e 7 f f f f, 0 x f d f f f f, 0 x f f f f f e, 0 x 27 f f f f, 0 x 7 b f f f f, 0 \times 3 d f f f f$, $0 \times 5 f f f f e, 0 x 17 f f f f, 0 x 1 b f f f f, 0 x 3 f f f f c, 0 x 2 f f f f e, 0 x 0 b f f f f, 0 x 0 d f f f f, 0 x 17 f f f c$, $0 x 17 f f f e, 0 x 03 f f f f, 0 x 0 f f f f d, 0 x 0 b f f f c, 0 x 0 b f f f e, 0 x 03 f f f d, 0 x 05 f f f d, 0 x 05 f f f c$, $0 x 05 f f f e, 0 x 02 f f f f, 0 x 02 f f f d, 0 x 02 f f f c, 0 x 02 f f f e, 0 x 017 f f f, 0 x 017 f f d, 0 x 017 f f c$, $0 x 017 f f e, 0 x 00 b f f f, 0 x 00 b f f d, 0 x 00 b f f c, 0 x 00 b f f e, 0 x 005 f f f, 0 x 005 f f d, 0 x 005 f f c$, $0 x 005 \mathrm{ffe}, 0 \mathrm{x} 002 \mathrm{fff}, 0 \mathrm{x} 002 \mathrm{ffd}, 0 \mathrm{x} 002 \mathrm{ffc}, 0 \times 002 \mathrm{ffe}, 0 \mathrm{x} 0017 \mathrm{ff}, 0 \times 0017 \mathrm{fd}, 0 \times 0017 \mathrm{fc}$, $0 \times 0017 \mathrm{fe}, 0 \times 000 \mathrm{bff}, 0 \times 000 \mathrm{bfd}, 0 \times 000 \mathrm{bfc}, 0 \times 000 \mathrm{bfe}, 0 \times 0005 \mathrm{ff}, 0 \times 0005 \mathrm{fd}, 0 \times 0005 \mathrm{fc}$, $0 \times 0005 \mathrm{fe}, 0 \times 0002 \mathrm{ff}, 0 \times 0002 \mathrm{fd}, 0 \times 0002 \mathrm{fc}, 0 \times 0002 \mathrm{fe}, 0 \times 00017 \mathrm{f}, 0 \times 00017 \mathrm{~d}, 0 \times 00017 \mathrm{c}$, $0 \times 00017 \mathrm{e}, 0 \times 0000 \mathrm{bf}, 0 \mathrm{x} 000 \mathrm{bb}, 0 \times 0000 \mathrm{bc}, 0 \times 0000 \mathrm{be}, 0 \times 00005 \mathrm{f}, 0 \times 00005 \mathrm{~d}, 0 \times 00005 \mathrm{c}$, $0 x 00005 \mathrm{e}, 0 \mathrm{x} 00002 \mathrm{f}, 0 \mathrm{x} 00002 \mathrm{~d}, 0 \mathrm{x} 00002 \mathrm{c}, 0 \mathrm{x} 00002 \mathrm{e}, 0 \mathrm{x} 000017,0 \times 000015,0 \times 000014$, $0 \times 000016,0 x 000009,0 x 000008,0 x 00000 a, 0 x 000003,0 x 000002,0 \times 000000,0 \times 000001$, $0 \times 000006,0 \times 000004,0 x 000005,0 \times 000007,0 \times 00000 e, 0 x 00000 c, 0 x 00000 \mathrm{~d}, 0 \times 00000 \mathrm{f}$, $0 \times 00001 \mathrm{e}, 0 \times 00001 \mathrm{c}, 0 \times 00001 \mathrm{~d}, 0 \times 00001 \mathrm{f}, 0 \times 00003 \mathrm{e}, 0 \times 00003 \mathrm{c}, 0 \times 00003 \mathrm{~d}, 0 \times 00003 \mathrm{f}$, $0 \times 00007 \mathrm{e}, 0 \times 00007 \mathrm{c}, 0 \mathrm{x} 00007 \mathrm{~d}, 0 \times 00007 \mathrm{f}, 0 \times 0000 \mathrm{fe}, 0 \times 0000 \mathrm{fc}, 0 \times 0000 \mathrm{fd}, 0 \times 0000 \mathrm{ff}$, $0 \times 0001 \mathrm{fe}, 0 \times 0001 \mathrm{fc}, 0 \times 0001 \mathrm{fd}, 0 \times 0001 \mathrm{ff}, 0 \times 0003 \mathrm{fe}, 0 \times 0003 \mathrm{fc}, 0 \times 0003 \mathrm{fd}, 0 \times 0003 \mathrm{ff}$, $0 \times 0007 \mathrm{fe}, 0 \times 0007 \mathrm{fc}, 0 \times 0007 \mathrm{fd}, 0 \times 0007 \mathrm{ff}, 0 \times 000 \mathrm{ffe}, 0 \times 000 \mathrm{ffc}, 0 \times 000 \mathrm{ffd}, 0 \times 000 \mathrm{fff}$, $0 x 001 \mathrm{ffe}, 0 x 001 \mathrm{ffc}, 0 x 001 \mathrm{ffd}, 0 x 001 \mathrm{fff}, 0 x 003 f f e, 0 x 003 f f c, 0 x 003 f f d, 0 x 003 f f f$, $0 x 007 f f e, 0 x 007 f f c, 0 x 007 f f d, 0 x 007 f f f, 0 x 00 f f f e, 0 x 00 f f f c, 0 x 00 f f f d, 0 x 00 f f f f$, $0 x 01 \mathrm{fffe}, 0 x 01 \mathrm{fffc}, 0 x 01 f f f d, 0 x 01 f f f f, 0 x 03 f f f e, 0 x 03 f f f c, 0 x 07 f f f d, 0 x 05 f f f f$, $0 \times 07 f f f e, 0 x 07 f f f c, 0 x 0 f f f f c, 0 x 0 f f f f f, 0 \times 0 f f f f e, 0 x 1 f f f f c, 0 x 1 \mathrm{dffff}, 0 \times 07 f f f f$, $0 \times 1 \mathrm{ffffe}, 0 \times 3 f f f f e, 0 \times 3 b f f f f, 0 \times 37 f f f f, 0 \times 7 f f f f e, 0 \times 7 \mathrm{dffff}, 0 \times 67 f f f f, 0 \times 77 f f f f$, $0 x 1 f f f f f$,
\};
/* Number of valid bits (LSBs) in each entry in "code5" */ static uint8 num5[247] $=\{$

|  |  |  |  |  |  |  |  |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 21, | 24, | 24, | 24, | 24, | 24, | 24, | 23, |
| 23, | 23, | 23, | 23, | 23, | 22, | 22, | 22, |
| 22, | 22, | 22, | 22, | 21, | 21, | 21, | 21, |
| 21, | 20, | 20, | 20, | 20, | 20, | 20, | 19, |
| 19, | 19, | 19, | 19, | 19, | 18, | 18, | 18, |
| 18, | 18, | 18, | 17, | 17, | 17, | 17, | 17, |
| 17, | 16, | 16, | 16, | 16, | 16, | 16, | 15, |
| 15, | 15, | 15, | 15, | 15, | 14, | 14, | 14, |
| 14, | 14, | 14, | 13, | 13, | 13, | 13, | 13, |
| 13, | 12, | 12, | 12, | 12, | 12, | 12, | 11, |
| 11, | 11, | 11, | 11, | 11, | 10, | 10, | 10, |
| 10, | 10, | 10, | 9, | 9, | 9, | 9, | 9, |
| 9, | 8, | 8, | 8, | 8, | 8, | 8, | 7, |
| 7, | 7, | 7, | 7, | 7, | 6, | 6, | 6, |
| 6, | 6, | 6, | 5, | 5, | 5, | 5, | 5, |
| 5, | 5, | 4, | 4, | 4, | 5, | 5, | 5, |
| 5, | 5, | 5, | 5, | 6, | 6, | 6, | 6, |
| 6, | 6, | 7, | 7, | 7, | 7, | 7, | 7, |
| 8, | 8, | 8, | 8, | 8, | 8, | 9, | 9, |
| 9, | 9, | 9, | 9, | 10, | 10, | 10, | 10, |
| 10, | 10, | 11, | 11, | 11, | 11, | 11, | 11, |
| 12, | 12, | 12, | 12, | 12, | 12, | 13, | 13, |
| 13, | 13, | 13, | 13, | 14, | 14, | 14, | 14, |
| 14, | 14, | 15, | 15, | 15, | 15, | 15, | 15, |
| 16, | 16, | 16, | 16, | 16, | 16, | 17, | 17, |
| 17, | 17, | 17, | 17, | 18, | 18, | 18, | 18, |
| 18, | 18, | 19, | 19, | 19, | 19, | 19, | 19, |
| 20, | 20, | 20, | 20, | 20, | 20, | 21, | 21, |
| 21, | 21, | 21, | 21, | 22, | 22, | 22, | 22, |
| 22, | 22, | 23, | 23, | 23, | 23, | 23, | 23, |
| 24, | 24, | 24, | 24, | 24, | 24, | 21, |  |

/* Huffman code for encoding scheme 5, zero's code is index 123 */ static uint 32 code5[247] = \{
$0 x 1 f f f f f, 0 x f f f f f d, 0 x f f f f f e, 0 x f f f f f a, 0 x f f 7 f f a, 0 x f f f f f c, 0 x f f f f f 8,0 x 5 f f f f d$, $0 \times 3 f f f f d, 0 \times 7 f b f f e, 0 \times 3 f 7 f f a, 0 \times 5 f f f f c, 0 \times 3 f f f f c, 0 \times 37 f f f f, 0 \times 3 f d f f d, 0 \times 1 \mathrm{fbffe}$, $0 x 1 f 7 f f a, 0 x 2 f f f f c, 0 x 2 f f f f 8,0 x 1 f f f f 8,0 x 0 f f f f d, 0 x 0 f b f f e, 0 x 0 f f f f a, 0 x 17 f f f c$, $0 \times 17 f f f 8,0 \times 0 b f f f f, 0 \times 07 f f f d, 0 \times 07 b f f e, 0 x 077 f f a, 0 x 0 b f f f c, 0 \times 0 b f f f 8,0 \times 05 f f f f$, $0 x 03 f f f d, 0 x 03 f f f e, 0 x 037 f f a, 0 x 05 f f f c, 0 x 05 f f f 8,0 x 02 f f f f, 0 x 01 d f f d, 0 x 01 f f f e$, $0 x 017 f f a, 0 x 02 f f f c, 0 x 02 f f f 8,0 x 017 f f f, 0 x 00 f f f d, 0 x 00 f f f e, 0 x 007 f f a, 0 x 017 f f c$, $0 x 017 f f 8,0 x 00 b f f f, 0 x 005 f f d, 0 x 003 f f e, 0 x 00 b f f a, 0 x 00 b f f c, 0 x 00 b f f 8,0 x 005 f f f$, $0 \times 001 \mathrm{ffd}, 0 \times 005 \mathrm{ffe}, 0 \times 005 \mathrm{ffa}, 0 \times 005 \mathrm{ffc}, 0 \times 005 f f 8,0 \times 002 \mathrm{fff}, 0 \times 002 \mathrm{ffd}, 0 \times 002 \mathrm{ffe}$, $0 \times 002 \mathrm{ffa}, 0 \times 002 \mathrm{ffc}, 0 \times 002 \mathrm{ff} 8,0 \times 0017 \mathrm{ff}, 0 \times 0017 \mathrm{fd}, 0 \times 0017 \mathrm{fe}, 0 \times 0017 \mathrm{fa}, 0 \times 0017 \mathrm{fc}$, $0 \times 0017 \mathrm{f} 8,0 \mathrm{x} 000 \mathrm{bff}, 0 \times 000 \mathrm{bfd}, 0 \mathrm{x} 000 \mathrm{bfe}, 0 \mathrm{x} 000 \mathrm{bfa}, 0 \mathrm{x} 000 \mathrm{bfc}, 0 \times 000 \mathrm{bf} 8,0 \times 0005 \mathrm{ff}$, $0 \times 0005 \mathrm{fd}, 0 \times 0005 \mathrm{fe}, 0 \times 0005 \mathrm{fa}, 0 \times 0005 \mathrm{fc}, 0 \times 0005 \mathrm{f} 8,0 \times 0002 \mathrm{ff}, 0 \times 0002 \mathrm{fd}, 0 \times 0002 \mathrm{fe}$, $0 x 0002 \mathrm{fa}, 0 \times 0002 \mathrm{fc}, 0 \times 0002 \mathrm{f} 8,0 \times 00017 \mathrm{f}, 0 \mathrm{x} 00017 \mathrm{~d}, 0 \times 00017 \mathrm{e}, 0 \times 00017 \mathrm{a}, 0 \times 00017 \mathrm{c}$, $0 x 000178,0 x 0000 \mathrm{bf}, 0 x 0000 \mathrm{bd}, 0 x 0000 \mathrm{be}, 0 x 0000 \mathrm{ba}, 0 \mathrm{x} 0000 \mathrm{bc}, 0 \times 0000 \mathrm{~b} 8,0 \mathrm{x} 00005 \mathrm{f}$, $0 \times 00005 \mathrm{~d}, 0 \times 00005 \mathrm{e}, 0 \times 00005 \mathrm{a}, 0 \times 00005 \mathrm{c}, 0 \times 000058,0 \times 00002 \mathrm{f}, 0 \times 00002 \mathrm{~d}, 0 \times 00002 \mathrm{e}$, $0 \times 00002 \mathrm{a}, 0 \times 00002 \mathrm{c}, 0 \times 000028,0 \times 000017,0 \times 000015,0 \times 000019,0 \times 000016,0 \times 000012$, $0 \times 000014,0 \times 000010,0 \times 00000 b, 0 \times 000001,0 \times 000003,0 \times 000000,0 \times 000004,0 \times 000002$, $0 \times 000006,0 \times 000009,0 \times 000005,0 \times 000007,0 \times 000008,0 \times 00000 \mathrm{c}, 0 \times 00000 \mathrm{a}, 0 \times 00000 \mathrm{e}$, $0 \times 00000 \mathrm{~d}, 0 \times 00000 \mathrm{f}, 0 \times 000018,0 \times 00001 \mathrm{c}, 0 \times 00001 \mathrm{a}, 0 \times 00001 \mathrm{e}, 0 \times 00001 \mathrm{~d}, 0 \times 00001 \mathrm{f}$, $0 x 000038,0 x 00003 c, 0 x 00003 a, 0 x 00003 e, 0 x 00003 d, 0 x 00003 f, 0 x 000078,0 x 00007 c$, $0 x 00007 a, 0 x 00007 e, 0 x 00007 d, 0 x 00007 f, 0 x 0000 f 8,0 x 0000 f c, 0 x 0000 f a, 0 x 0000 f e$, $0 \times 0000 \mathrm{fd}, 0 \times 0000 \mathrm{ff}, 0 \times 0001 \mathrm{f} 8,0 \times 0001 \mathrm{fc}, 0 \times 0001 \mathrm{fa}, 0 \times 0001 \mathrm{fe}, 0 \times 0001 \mathrm{fd}, 0 \times 0001 \mathrm{ff}$, $0 \times 0003 \mathrm{f} 8,0 \times 0003 \mathrm{fc}, 0 \times 0003 \mathrm{fa}, 0 \times 0003 \mathrm{fe}, 0 \times 0003 \mathrm{fd}, 0 \times 0003 \mathrm{ff}, 0 \times 0007 \mathrm{f} 8,0 \times 0007 \mathrm{fc}$, $0 \times 0007 \mathrm{fa}, 0 \times 0007 \mathrm{fe}, 0 \times 0007 \mathrm{fd}, 0 \times 0007 \mathrm{ff}, 0 \times 000 \mathrm{ff} 8,0 \times 000 \mathrm{ffc}, 0 \times 000 \mathrm{ffa}, 0 \times 000 \mathrm{ffe}$, $0 \times 000 \mathrm{ffd}, 0 \times 000 \mathrm{fff}, 0 \times 001 \mathrm{ff} 8,0 \times 001 \mathrm{ffc}, 0 \mathrm{x} 001 \mathrm{ffa}, 0 \mathrm{x} 001 \mathrm{ffe}, 0 \times 003 \mathrm{ffd}, 0 \times 001 \mathrm{fff}$, $0 \times 003 f f 8,0 x 003 f f c, 0 x 003 f f a, 0 x 007 f f e, 0 x 007 f f d, 0 x 003 f f f, 0 x 007 f f 8,0 \times 007 f f c$, $0 x 00 f f f a, 0 x 00 b f f e, 0 x 00 d f f d, 0 x 007 f f f, 0 x 00 f f f 8,0 x 00 f f f c, 0 x 01 f f f a, 0 x 01 b f f e$, $0 x 01 f f f d, 0 x 00 f f f f, 0 x 01 f f f 8,0 x 01 f f f c, 0 x 03 f f f a, 0 x 03 b f f e, 0 x 03 d f f d, 0 x 01 f f f f$, $0 x 03 f f f 8,0 x 03 f f f c, 0 x 07 f f f a, 0 x 07 f f f e, 0 x 07 d f f d, 0 x 03 f f f f, 0 x 07 f f f 8,0 \times 07 f f f c$, $0 x 0 f 7 f f a, 0 x 0 f f f f e, 0 x 0 f d f f d, 0 x 07 f f f f, 0 x 0 f f f f 8,0 x 0 f f f f c, 0 x 1 f f f f a, 0 x 1 f f f f e$, $0 \times 1 \mathrm{fdffd}, 0 \times 17 f f f f, 0 \times 3 f f f f 8,0 \times 1 f f f f c, 0 x 3 f f f f a, 0 x 3 f b f f e, 0 x 3 f f f f e, 0 x 1 f f f f d$, $0 \times 7 f f f f 8,0 x 7 f f f f c, 0 x 7 f 7 f f a, 0 x 7 f f f f a, 0 x 7 f f f f e, 0 x 7 f f f f d, 0 x 0 f f f f f$, \};

\};
/* Huffman code for encoding scheme 6, zero's code is index 197 */ static uint32 code6[395] = \{
$0 x 1 f f f f f, 0 x f f f f f e, 0 x f f f f f c, 0 x f f f f f 8,0 x f f b f f 8,0 x f f f f f d, 0 x f f f f f 9,0 x f f f f f b$, $0 x f f f f f 3,0 x f f f f f 7,0 x 7 f f f f a, 0 x 5 f f f f e, 0 x 3 f f f f c, 0 x 7 f d f f c, 0 x 3 f f f f 8,0 \times 5 f f f f d$, $0 \times 3 f f f f d, 0 \times 6 f f f f b, 0 \times 3 f f f f b, 0 \times 5 f f f f 7,0 \times 1 f f f f a, 0 \times 3 f e f f a, 0 \times 3 f d f f e, 0 \times 1 f d f f c$, $0 \times 1 \mathrm{ffff} 8,0 \times 2 f f f f d, 0 \times 2 f f f f 9,0 \times 0 f f f f b, 0 \times 1 f f f f b, 0 \times 37 f f f f, 0 \times 3 f d f f 7,0 \times 0 f e f f a$, $0 x 0 f d f f e, 0 x 0 f d f f c, 0 x 0 f f f f 8,0 x 17 f f f d, 0 x 17 f f f 9,0 x 17 f f f b, 0 x 17 f f f 3,0 x 0 f f f f 3$, $0 x 0 f f f f 7,0 x 07 e f f a, 0 x 07 f f f e, 0 x 07 f f f c, 0 x 07 b f f 8,0 x 0 b f f f d, 0 x 0 b f f f 9,0 x 0 b f f f b$, $0 x 0 b f f f 3,0 x 0 b f f f f, 0 x 07 d f f 7,0 x 03 e f f a, 0 x 03 d f f e, 0 x 03 f f f c, 0 x 03 b f f 8,0 x 05 f f f d$ $0 x 05 f f f 9,0 x 05 f f f b, 0 x 05 f f f 3,0 x 05 f f f f, 0 x 03 f f f 7,0 x 01 e f f a, 0 x 01 \mathrm{dffe}, 0 \times 01 \mathrm{fffc}$ $0 \times 01 b f f 8,0 \times 02 f f f d, 0 x 02 f f f 9,0 x 02 f f f b, 0 x 02 f f f 3,0 x 02 f f f f, 0 x 01 \mathrm{dff} 7,0 \times 00 f f f a$ $0 x 00 f f f e, 0 x 00 d f f c, 0 x 00 b f f 8,0 x 017 f f d, 0 x 017 f f 9,0 \times 017 f f b, 0 \times 017 f f 3,0 \times 017 f f f$, $0 x 00 f f f 7,0 x 006 f f a, 0 x 007 f f e, 0 x 007 f f c, 0 x 003 f f 8,0 x 00 b f f d, 0 x 00 b f f 9,0 x 00 b f f b$, $0 x 00 b f f 3,0 x 00 b f f f, 0 x 005 f f 7,0 x 003 f f a, 0 x 001 f f e, 0 x 003 f f c, 0 x 005 f f 8,0 x 005 f f d$, $0 x 005 f f 9,0 x 005 f f b, 0 x 005 f f 3,0 x 005 f f f, 0 x 001 f f 7,0 x 001 f f a, 0 x 002 f f e, 0 x 002 f f c$, $0 x 002 f f 8,0 x 002 f f d, 0 x 002 f f 9,0 x 002 f f b, 0 x 002 f f 3,0 x 002 f f f, 0 x 002 f f 7,0 x 0017 f a$, $0 \times 0017 \mathrm{fe}, 0 \times 0017 \mathrm{fc}, 0 \times 0017 \mathrm{f} 8,0 \mathrm{x} 0017 \mathrm{fd}, 0 \times 0017 \mathrm{f} 9,0 \times 0017 \mathrm{fb}, 0 \times 0017 \mathrm{f} 3,0 \times 0017 \mathrm{ff}$, $0 \times 0017 \mathrm{f} 7,0 \times 000 \mathrm{bfa}, 0 \times 000 \mathrm{bfe}, 0 \times 000 \mathrm{bfc}, 0 \times 000 \mathrm{bf} 8,0 \times 000 \mathrm{bfd}, 0 \times 000 \mathrm{bf} 9,0 \times 000 \mathrm{bfb}$ $0 \times 000 b f 3,0 \times 000 b f f, 0 \times 000 b f 7,0 \times 0005 f a, 0 \times 0005 f e, 0 \times 0005 f c, 0 \times 0005 f 8,0 \times 0005 f d$, $0 \times 0005 \mathrm{f} 9,0 \times 0005 \mathrm{fb}, 0 \times 0005 \mathrm{f} 3,0 \times 0005 \mathrm{ff}, 0 \times 0005 \mathrm{f} 7,0 \times 0002 \mathrm{fa}, 0 \times 0002 \mathrm{fe}, 0 \times 0002 \mathrm{fc}$, $0 x 0002 \mathrm{f} 8,0 x 0002 \mathrm{fd}, 0 x 0002 \mathrm{f} 9,0 x 0002 \mathrm{fb}, 0 x 0002 f 3,0 x 0002 f f, 0 x 0002 f 7,0 x 00017 \mathrm{a}$, $0 x 00017 \mathrm{e}, 0 \mathrm{x} 00017 \mathrm{c}, 0 \mathrm{x} 000178,0 x 00017 \mathrm{~d}, 0 \mathrm{x} 000179,0 \mathrm{x} 00017 \mathrm{~b}, 0 \times 000173,0 \times 00017 \mathrm{f}$, $0 \times 000177,0 \times 0000 \mathrm{ba}, 0 \times 0000 \mathrm{be}, 0 \times 0000 \mathrm{bc}, 0 \times 0000 \mathrm{~b} 8,0 \times 0000 \mathrm{bd}, 0 \times 0000 \mathrm{~b} 9,0 \times 0000 \mathrm{bb}$, $0 \times 0000 \mathrm{~b} 3,0 \times 0000 \mathrm{bf}, 0 \times 0000 \mathrm{~b} 7,0 \times 00005 \mathrm{a}, 0 \times 00005 \mathrm{e}, 0 \times 00005 \mathrm{c}, 0 \times 000058,0 \times 00005 \mathrm{~d}$, $0 \times 000059,0 \times 00005 \mathrm{~b}, 0 \times 000053,0 \times 00005 \mathrm{f}, 0 \times 000057,0 \times 00002 \mathrm{a}, 0 \times 00002 \mathrm{e}, 0 \times 00002 \mathrm{c}$, $0 x 000028,0 x 00002 d, 0 x 000029,0 \times 000031,0 \times 00002 b, 0 x 000023,0 \times 00002 f, 0 \times 000027$, $0 \times 000012,0 \times 000016,0 \times 000014,0 \times 000010,0 \times 000015,0 \times 000001,0 \times 000005,0 \times 000000$, $0 \times 000004,0 \times 000006,0 \times 000002,0 \times 000007,0 \times 00000 f, 0 \times 000003,0 \times 00000 b, 0 \times 000011$, $0 \times 000009,0 \times 00000 d, 0 \times 000008,0 \times 00000 c, 0 \times 00000 e, 0 \times 00000 a, 0 \times 000017,0 \times 00001 f$, $0 \times 000013,0 \times 00001 b, 0 \times 000019,0 \times 00001 d, 0 \times 000018,0 \times 00001 c, 0 \times 00001 e, 0 \times 00001 a$, $0 \times 000037,0 \times 00003 \mathrm{f}, 0 \times 000033,0 \times 00003 \mathrm{~b}, 0 \times 000039,0 \times 00003 \mathrm{~d}, 0 \times 000038,0 \times 00003 \mathrm{c}$, $0 \times 00003 \mathrm{e}, 0 \times 00003 \mathrm{a}, 0 \times 000077,0 \times 00007 \mathrm{f}, 0 \times 000073,0 \times 00007 \mathrm{~b}, 0 \times 000079,0 \times 00007 \mathrm{~d}$, $0 \times 000078,0 \times 00007 c, 0 x 00007 \mathrm{e}, 0 \times 00007 \mathrm{a}, 0 \times 0000 f 7,0 \times 0000 f f, 0 \times 0000 f 3,0 \times 0000 \mathrm{fb}$, $0 x 0000 f 9,0 x 0000 f d, 0 x 0000 f 8,0 x 0000 f c, 0 x 0000 f e, 0 x 0000 f a, 0 x 0001 f 7,0 x 0001 f f$, $0 x 0001 \mathrm{f} 3,0 \times 0001 \mathrm{fb}, 0 \times 0001 \mathrm{f} 9,0 x 0001 \mathrm{fd}, 0 \mathrm{x} 0001 \mathrm{f} 8,0 \mathrm{x} 0001 \mathrm{fc}, 0 \times 0001 \mathrm{fe}, 0 \times 0001 \mathrm{fa}$, $0 x 0003 f 7,0 \times 0003 f f, 0 \times 0003 f 3,0 \times 0003 f b, 0 \times 0003 f 9,0 x 0003 f d, 0 \times 0003 f 8,0 \times 0003 f c$ $0 \times 0003 \mathrm{fe}, 0 \times 0003 \mathrm{fa}, 0 \times 0007 \mathrm{f} 7,0 \times 0007 \mathrm{ff}, 0 \times 0007 \mathrm{f} 3,0 \times 0007 \mathrm{fb}, 0 \times 0007 \mathrm{f} 9,0 \times 0007 \mathrm{fd}$, $0 \times 0007 \mathrm{f} 8,0 \times 0007 \mathrm{fc}, 0 \times 0007 \mathrm{fe}, 0 \times 0007 \mathrm{fa}, 0 \times 000 \mathrm{ff} 7,0 \times 000 \mathrm{fff}, 0 \times 000 \mathrm{ff} 3,0 \times 000 \mathrm{ffb}$ $0 \times 000 f f 9,0 \times 000 f f d, 0 \times 000 f f 8,0 \times 000 f f c, 0 x 000 f f e, 0 x 000 f f a, 0 \times 003 f f 7,0 \times 001 f f f$, $0 x 001 \mathrm{ff} 3,0 x 001 \mathrm{ffb}, 0 x 001 \mathrm{ff} 9,0 x 001 \mathrm{ffd}, 0 \mathrm{x} 001 \mathrm{ff} 8,0 \mathrm{x} 001 \mathrm{ffc}, 0 \mathrm{x} 003 \mathrm{ffe}, 0 \mathrm{x} 002 \mathrm{ffa}$, $0 x 007 f f 7,0 x 003 f f f, 0 x 003 f f 3,0 x 003 f f b, 0 x 003 f f 9,0 x 003 f f d, 0 x 007 f f 8,0 x 005 f f c$ $0 x 005 f f e, 0 x 007 f f a, 0 x 00 d f f 7,0 x 007 f f f, 0 x 007 f f 3,0 x 007 f f b, 0 x 007 f f 9,0 x 007 f f d$, $0 x 00 f f f 8,0 x 00 f f f c, 0 x 00 \mathrm{dffe}, 0 x 00 e f f a, 0 x 01 f f f 7,0 x 00 f f f f, 0 x 00 f f f 3,0 \times 00 f f f b$, $0 x 00 f f f 9,0 x 00 f f f d, 0 x 01 \mathrm{fff} 8,0 x 01 \mathrm{dffc}, 0 x 01 \mathrm{fffe}, 0 x 01 \mathrm{fffa}, 0 x 03 \mathrm{dff} 7,0 \times 01 \mathrm{ffff}$, $0 x 01 \mathrm{fff} 3,0 \times 01 \mathrm{fffb}, 0 x 01 \mathrm{fff} 9,0 \mathrm{x} 01 \mathrm{fffd}, 0 \mathrm{x} 03 \mathrm{fff} 8,0 \mathrm{x} 03 \mathrm{dffc}, 0 \mathrm{x} 03 \mathrm{fffe}, 0 \times 03 \mathrm{fffa}$ $0 x 07 f f f 7,0 x 03 f f f f, 0 x 03 f f f 3,0 x 03 f f f b, 0 x 03 f f f 9,0 x 03 f f f d, 0 x 07 f f f 8,0 x 07 \mathrm{dffc}$, $0 x 07 \mathrm{dffe}, 0 x 07 f f f a, 0 x 0 f d f f 7,0 x 07 f f f f, 0 x 07 f f f 3,0 x 07 f f f b, 0 x 07 f f f 9,0 x 07 f f f d$, $0 x 0 f b f f 8,0 x 0 f f f f c, 0 x 0 f f f f e, 0 x 0 f f f f a, 0 x 1 f d f f 7,0 x 17 f f f f, 0 x 1 f f f f 3,0 x 1 f f f f 9$, $0 x 0 f f f f 9,0 x 0 f f f f d, 0 x 1 f b f f 8,0 x 1 f f f f c, 0 x 1 f d f f e, 0 x 1 f e f f a, 0 x 3 f f f f 7,0 \times 1 f f f f 7$, $0 \times 3 f f f f 3,0 x 2 f f f f b, 0 \times 3 f f f f 9,0 x 1 f f f f d, 0 x 3 f b f f 8,0 x 3 f d f f c, 0 x 3 f f f f e, 0 \times 1 f f f f e$, $0 \times 3 f f f f a, 0 x 7 f f f f 7,0 \times 7 f f f f 3,0 \times 7 f f f f b, 0 x 7 f f f f 9,0 \times 7 f f f f d, 0 \times 7 f b f f 8,0 \times 7 f f f f 8$, $0 x 7 f f f f c, 0 x 7 f f f f e, 0 x 0 f f f f f$,
\};
/* Number of valid bits (LSBs) in each entry in "code7" */
static uint8 num7[609] $=\{$

| 20, | 24, | 24, | 24, | 24, | 24, | 24, | 24, |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 24, | 24, | 24, | 24, | 24, | 24, | 24, | 24, |
| 24, | 23, | 23, | 23, | 23, | 23, | 23, | 23, |
| 23, | 23, | 23, | 23, | 23, | 23, | 23, | 23, |
| 23, | 22, | 22, | 22, | 22, | 22, | 22, | 22, |
| 22, | 22, | 22, | 22, | 22, | 22, | 22, | 22, |
| 22, | 21, | 21, | 21, | 21, | 21, | 21, | 21, |
| 21, | 21, | 21, | 21, | 21, | 21, | 21, | 21, |
| 21, | 20, | 20, | 20, | 20, | 20, | 20, | 20, |
| 20, | 20, | 20, | 20, | 20, | 20, | 20, | 20, |
| 20, | 19, | 19, | 19, | 19, | 19, | 19, | 19, |
| 19, | 19, | 19, | 19, | 19, | 19, | 19, | 19, |
| 19, | 18, | 18, | 18, | 18, | 18, | 18, | 18, |
| 18, | 18, | 18, | 18, | 18, | 18, | 18, | 18, |
| 18, | 17, | 17, | 17, | 17, | 17, | 17, | 17, |
| 17, | 17, | 17, | 17, | 17, | 17, | 17, | 17, |
| 17, | 16, | 16, | 16, | 16, | 16, | 16, | 16, |
| 16, | 16, | 16, | 16, | 16, | 16, | 16, | 16, |
| 16, | 15, | 15, | 15, | 15, | 15, | 15, | 15, |
| 15, | 15, | 15, | 15, | 15, | 15, | 15, | 15, |
| 15, | 14, | 14, | 14, | 14, | 14, | 14, | 14, |
| 14, | 14, | 14, | 14, | 14, | 14, | 14, | 14, |
| 14, | 13, | 13, | 13, | 13, | 13, | 13, | 13, |
| 13, | 13, | 13, | 13, | 13, | 13, | 13, | 13, |
| 13, | 12, | 12, | 12, | 12, | 12, | 12, | 12, |
| 12, | 12, | 12, | 12, | 12, | 12, | 12, | 12, |
| 12, | 11, | 11, | 11, | 11, | 11, | 11, | 11, |
| 11, | 11, | 11, | 11, | 11, | 11, | 11, | 11, |
| 11, | 10, | 10, | 10, | 10, | 10, | 10, | 10, |
| 10, | 10, | 10, | 10, | 10, | 10, | 10, | 10, |
| 10, | 9, | 9, | 9, | 9, | 9, | 9, | 9, |
| 9, | 9, | 9, | 9, | 9, | 9, | 9, | 9, |


/* Huffman code for encoding scheme 7, zero's code is index 304 */ static uint 32 code7[609] $=$ \{
$0 x 0 f f f f f, 0 x f f f f f d, 0 x e f f f f d, 0 x f f f f f 5,0 x f f f f f 9,0 x f f f f f 1,0 x f f f f f b, 0 x f f f f f 3$ $0 \times f f f f f 7,0 x f d f f f f, 0 x e d f f f f, 0 x f f f f f e, 0 x f f f f f a, 0 x f f f f f c, 0 x f 7 f f f c, 0 x f f f f f 8$, $0 x f f f f f 0,0 x 2 f f f f d, 0 \times 77 f f f 5,0 x 3 f f f f 9,0 \times 5 f f f f 9,0 x 3 f f f f b, 0 \times 7 b f f f b, 0 x 3 f f f f 7$, $0 x 5 f f f f 7,0 x 2 d f f f f, 0 x 7 b f f f e, 0 x 3 f f f f e, 0 x 5 f f f f a, 0 x 3 f f f f c, 0 x 7 f f f f 4,0 x 3 f f f f 0$, $0 x 5 f f f f 0,0 x 0 f f f f d, 0 x 1 f f f f 5,0 x 37 f f f 9,0 x 3 b f f f 1,0 x 1 f f f f b, 0 x 1 b f f f b, 0 x 2 f f f f 3$, $0 x 2 f f f f 7,0 x 1 d f f f f, 0 x 1 b f f f e, 0 x 3 b f f f a, 0 x 3 f f f f 2,0 x 1 f f f f c, 0 x 1 f f f f 8,0 x 2 f f f f 8$, $0 \times 2 f f f f 0,0 x 17 f f f d, 0 x 0 f f f f 5,0 x 0 f f f f 9,0 \times 0 b f f f 1,0 \times 0 b f f f b, 0 \times 1 b f f f 3,0 \times 1 b f f f 7$, $0 \times 1 \mathrm{bffff}, 0 \times 1 \mathrm{ffff6}, 0 \times 0 f f f f e, 0 x 0 f f f f a, 0 \times 0 f f f f 2,0 \times 0 f f f f 4,0 \times 17 f f f 4,0 \times 17 f f f 8$, $0 \times 17 f f f 0,0 x 0 b f f f d, 0 x 0 b f f f 5,0 x 0 b f f f 9,0 x 07 f f f 1,0 x 07 f f f b, 0 x 07 f f f 3,0 \times 03 f f f 7$, $0 x 03 f f f f, 0 x 03 f f f e, 0 x 07 f f f e, 0 x 07 f f f a, 0 x 0 b f f f 2,0 x 0 b f f f c, 0 x 0 b f f f 4,0 x 0 b f f f 8$, $0 x 0 b f f f 0,0 x 05 f f f d, 0 x 05 f f f 5,0 x 05 f f f 9,0 x 05 f f f 1,0 x 05 f f f b, 0 x 05 f f f 3,0 x 05 f f f 7$, $0 x 01 f f f f, 0 x 05 f f f 6,0 x 05 f f f e, 0 x 05 f f f a, 0 x 05 f f f 2,0 x 05 f f f c, 0 x 05 f f f 4,0 x 05 f f f 8$, $0 x 05 f f f 0,0 x 02 f f f d, 0 x 02 f f f 5,0 x 02 f f f 9,0 x 02 f f f 1,0 x 02 f f f b, 0 x 02 f f f 3,0 x 02 f f f 7$, $0 x 02 f f f f, 0 x 02 f f f 6,0 x 02 f f f e, 0 x 02 f f f a, 0 x 02 f f f 2,0 x 02 f f f c, 0 x 02 f f f 4,0 \times 02 f f f 8$ $0 \times 02 f f f 0,0 \times 017 f f d, 0 \times 017 f f 5,0 \times 017 f f 9,0 \times 017 f f 1,0 \times 017 f f b, 0 \times 017 f f 3,0 \times 017 f f 7$, $0 \times 017 f f f, 0 x 017 f f 6,0 x 017 f f e, 0 x 017 f f a, 0 x 017 f f 2,0 x 017 f f c, 0 x 017 f f 4,0 x 017 f f 8$ $0 x 017 f f 0,0 x 00 b f f d, 0 x 00 b f f 5,0 x 00 b f f 9,0 x 00 b f f 1,0 x 00 b f f b, 0 x 00 b f f 3,0 x 00 b f f 7$, $0 x 00 b f f f, 0 x 00 b f f 6,0 x 00 b f f e, 0 x 00 b f f a, 0 x 00 b f f 2,0 x 00 b f f c, 0 x 00 b f f 4,0 x 00 b f f 8$, $0 x 00 b f f 0,0 x 005 f f d, 0 x 005 f f 5,0 x 005 f f 9,0 x 005 f f 1,0 x 005 f f b, 0 x 005 f f 3,0 \times 005 f f 7$, $0 \times 005 f f f, 0 \times 005 f f 6,0 \times 005 f f e, 0 \times 005 f f a, 0 \times 005 f f 2,0 \times 005 f f c, 0 \times 005 f f 4,0 \times 005 f f 8$ $0 \times 005 f f 0,0 x 002 f f d, 0 \times 002 f f 5,0 x 002 f f 9,0 x 002 f f 1,0 x 002 f f b, 0 \times 002 f f 3,0 \times 002 f f 7$, $0 x 002 f f f, 0 x 002 f f 6,0 x 002 f f e, 0 x 002 f f a, 0 x 002 f f 2,0 x 002 f f c, 0 x 002 f f 4,0 \times 002 f f 8$, $0 x 002 f f 0,0 x 0017 f d, 0 x 0017 f 5,0 x 0017 f 9,0 x 0017 f 1,0 x 0017 f b, 0 x 0017 f 3,0 x 0017 f 7$ $0 \times 0017 £ f, 0 x 0017 £ 6,0 x 0017 f e, 0 x 0017 £ a, 0 x 0017 £ 2,0 x 0017 \mathrm{fc}, 0 x 0017 £ 4,0 \times 0017 £ 8$ $0 x 0017 f 0,0 x 000 b f d, 0 x 000 b f 5,0 x 000 b f 9,0 x 000 b f 1,0 x 000 b f b, 0 x 000 b f 3,0 x 000 b f 7$ $0 x 000 \mathrm{bff}, 0 \times 000 \mathrm{bf} 6,0 \times 000 \mathrm{bfe}, 0 \times 000 \mathrm{bfa}, 0 \mathrm{x} 000 \mathrm{bf} 2,0 \mathrm{x} 000 \mathrm{bfc}, 0 \times 000 \mathrm{bf} 4,0 \times 000 \mathrm{bf} 8$, $0 \times 000 \mathrm{~b} f 0,0 \times 0005 f d, 0 \times 0005 f 5,0 \times 0005 f 9,0 \times 0005 f 1,0 \times 0005 f b, 0 \times 0005 f 3,0 \times 0005 f 7$ $0 \times 0005 \mathrm{ff}, 0 \times 0005 \mathrm{f} 6,0 \times 0005 \mathrm{fe}, 0 \times 0005 \mathrm{fa}, 0 \times 0005 \mathrm{f} 2,0 \times 0005 \mathrm{fc}, 0 \times 0005 \mathrm{f} 4,0 \times 0005 \mathrm{f} 8$, $0 \times 0005 f 0,0 \times 0002 f d, 0 \times 0002 f 5,0 \times 0002 f 9,0 \times 0002 f 1,0 \times 0002 f b, 0 \times 0002 f 3,0 \times 0002 f 7$, $0 x 0002 \mathrm{ff}, 0 x 0002 \mathrm{f} 6,0 \mathrm{x} 0002 \mathrm{fe}, 0 \mathrm{x} 0002 \mathrm{fa}, 0 \mathrm{x} 0002 \mathrm{f} 2,0 \mathrm{x} 0002 \mathrm{fc}, 0 \mathrm{x} 0002 \mathrm{f} 4,0 \mathrm{x} 0002 \mathrm{f} 8$, $0 x 0002 f 0,0 x 00017 d, 0 x 000175,0 x 000179,0 x 000171,0 x 00017 b, 0 x 000173,0 x 000177$, $0 \times 00017 \mathrm{f}, 0 \times 000176,0 \times 00017 \mathrm{e}, 0 \mathrm{x} 00017 \mathrm{a}, 0 \times 000172,0 \times 00017 \mathrm{c}, 0 \times 000174,0 \times 000178$ $0 \times 000170,0 \times 0000 b d, 0 \times 0000 b 5,0 \times 0000 b 9,0 \times 0000 b 1,0 \times 0000 b b, 0 \times 0000 b 3,0 \times 0000 b 7$, $0 \times 0000 \mathrm{bf}, 0 \times 0000 \mathrm{~b} 6,0 \times 0000 \mathrm{be}, 0 \times 0000 \mathrm{ba}, 0 \times 0000 \mathrm{~b} 2,0 \times 0000 \mathrm{bc}, 0 \times 0000 \mathrm{~b} 4,0 \times 0000 \mathrm{~b} 8$, $0 \times 0000 \mathrm{~b} 0,0 \times 00005 \mathrm{~d}, 0 \times 000055,0 \times 000059,0 \times 000051,0 \times 00005 \mathrm{~b}, 0 \times 000053,0 \times 000057$, $0 \times 00005 \mathrm{f}, 0 \times 000056,0 \times 00005 \mathrm{e}, 0 \times 00005 \mathrm{a}, 0 \times 000052,0 \times 00005 \mathrm{c}, 0 \times 000054,0 \times 000058$ $0 x 00002 \mathrm{~d}, 0 \times 000025,0 x 000029,0 x 000021,0 x 00002 \mathrm{~b}, 0 \times 000023,0 \times 000027,0 \times 00002 \mathrm{f}$ $0 x 000026,0 x 00002 e, 0 x 00002 a, 0 x 000022,0 x 00002 c, 0 x 000024,0 \times 000028,0 \times 000020$ $0 \times 000010,0 \times 000000,0 \times 000008,0 \times 000004,0 \times 00000 \mathrm{c}, 0 \times 000002,0 \times 00000 \mathrm{a}, 0 \times 00000 \mathrm{e}$,


#### Abstract

$0 x 000006,0 x 00000 f, 0 x 000007,0 x 000003,0 x 00000 b, 0 x 000001,0 x 000009,0 x 000005$ $0 x 00000 d, 0 x 000018,0 x 000014,0 x 00001 c, 0 x 000012,0 x 00001 a, 0 x 00001 e, 0 x 000016$, $0 \times 00001 \mathrm{f}, 0 \times 000017,0 \times 000013,0 \times 00001 b, 0 \times 000011,0 \times 000019,0 \times 000015,0 \times 00001 \mathrm{~d}$, $0 \times 000030,0 \times 000038,0 \times 000034,0 \times 00003 c, 0 \times 000032,0 \times 00003 a, 0 \times 00003 \mathrm{e}, 0 \times 000036$, $0 \times 00003 \mathrm{f}, 0 \times 000037,0 \times 000033,0 \times 00003 \mathrm{~b}, 0 \times 000031,0 \times 000039,0 \times 000035,0 \times 00003 \mathrm{~d}$, $0 \times 000070,0 \times 000078,0 \times 000074,0 \times 00007 \mathrm{c}, 0 \times 000072,0 \times 00007 a, 0 \times 00007 e, 0 \times 000076$, $0 \times 00007 \mathrm{f}, 0 \times 000077,0 \times 000073,0 \times 00007 \mathrm{~b}, 0 \times 000071,0 \times 000079,0 \times 000075,0 \times 00007 \mathrm{~d}$, $0 \times 0000 f 0,0 \times 0000 f 8,0 \times 0000 f 4,0 x 0000 f c, 0 x 0000 f 2,0 x 0000 f a, 0 \times 0000 f e, 0 \times 0000 f 6$ $0 x 0000 f f, 0 x 0000 f 7,0 \times 0000 f 3,0 \times 0000 f b, 0 x 0000 f 1,0 \times 0000 f 9,0 \times 0000 f 5,0 \times 0000 f d$, $0 x 0001 \mathrm{f} 0,0 \times 0001 \mathrm{f} 8,0 \times 0001 \mathrm{f} 4,0 \times 0001 \mathrm{fc}, 0 \times 0001 \mathrm{f} 2,0 \mathrm{x} 0001 \mathrm{fa}, 0 \times 0001 \mathrm{fe}, 0 \times 0001 \mathrm{f} 6$, $0 \times 0001 \mathrm{ff}, 0 \times 0001 \mathrm{f} 7,0 \times 0001 \mathrm{f} 3,0 \times 0001 \mathrm{fb}, 0 \times 0001 \mathrm{f} 1,0 \times 0001 \mathrm{f} 9,0 \times 0001 \mathrm{f} 5,0 \times 0001 \mathrm{fd}$, $0 \times 0003 \mathrm{f0} 0,0 \times 0003 f 8,0 \times 0003 f 4,0 \times 0003 \mathrm{fc}, 0 \times 0003 f 2,0 \times 0003 \mathrm{fa}, 0 \times 0003 \mathrm{fe}, 0 \times 0003 \mathrm{f} 6$, $0 x 0003 f f, 0 x 0003 f 7,0 x 0003 f 3,0 \times 0003 f b, 0 \times 0003 f 1,0 x 0003 f 9,0 \times 0003 f 5,0 \times 0003 f d$, $0 x 0007 f 0,0 x 0007 f 8,0 x 0007 f 4,0 x 0007 f c, 0 x 0007 f 2,0 x 0007 f a, 0 x 0007 f e, 0 x 0007 f 6$, $0 x 0007 f f, 0 x 0007 f 7,0 x 0007 f 3,0 x 0007 f b, 0 x 0007 f 1,0 x 0007 f 9,0 x 0007 f 5,0 x 0007 f d$, $0 x 000 f f 0,0 x 000 f f 8,0 \times 000 f f 4,0 x 000 f f c, 0 x 000 f f 2,0 x 000 f f a, 0 x 000 f f e, 0 x 000 f f 6$, $0 \times 000 f f f, 0 \times 000 f f 7,0 \times 000 f f 3,0 \times 000 f f b, 0 \times 000 f f 1,0 \times 000 f f 9,0 \times 000 f f 5,0 \times 000 f f d$, $0 \times 001 \mathrm{ff} 0,0 \times 001 \mathrm{ff} 8,0 \times 001 \mathrm{ff} 4,0 \times 001 \mathrm{ffc}, 0 \times 001 \mathrm{ff} 2,0 \times 001 \mathrm{ffa}, 0 \times 001 \mathrm{ffe}, 0 \times 001 \mathrm{ff} 6$, $0 \times 001 \mathrm{fff}, 0 \times 001 \mathrm{ff} 7,0 \times 001 \mathrm{ff} 3,0 \times 001 \mathrm{ffb}, 0 \times 001 \mathrm{ff} 1,0 \mathrm{x} 001 \mathrm{ff} 9,0 \times 001 \mathrm{ff} 5,0 \times 001 \mathrm{ffd}$, $0 x 003 f f 0,0 x 003 f f 8,0 x 003 f f 4,0 x 003 f f c, 0 x 003 f f 2,0 x 003 f f a, 0 x 003 f f e, 0 x 003 f f 6$, $0 x 003 f f f, 0 x 003 f f 7,0 x 003 f f 3,0 x 003 f f b, 0 x 003 f f 1,0 x 003 f f 9,0 x 003 f f 5,0 x 003 f f d$, $0 x 007 f f 0,0 x 007 f f 8,0 x 007 f f 4,0 x 007 f f c, 0 x 007 f f 2,0 x 007 f f a, 0 x 007 f f e, 0 x 007 f f 6$, $0 \times 007 f f f, 0 \times 007 f f 7,0 \times 007 f f 3,0 x 007 f f b, 0 \times 007 f f 1,0 x 007 f f 9,0 \times 007 f f 5,0 \times 007 f f d$, $0 x 00 f f f 0,0 x 00 f f f 8,0 x 00 f f f 4,0 x 00 f f f c, 0 x 00 f f f 2,0 x 00 f f f a, 0 x 00 f f f e, 0 \times 00 f f f 6$, $0 \times 00 f f f f, 0 \times 00 f f f 7,0 \times 00 f f f 3,0 \times 00 f f f b, 0 \times 00 f f f 1,0 \times 00 f f f 9,0 \times 00 f f f 5,0 \times 00 f f f d$, $0 x 01 f f f 0,0 x 01 f f f 8,0 x 01 f f f 4,0 x 01 f f f c, 0 x 01 f f f 2,0 x 01 f f f a, 0 x 01 f f f e, 0 x 01 f f f 6$ $0 x 03 f f f 6,0 x 01 f f f 7,0 x 01 f f f 3,0 x 01 f f f b, 0 x 01 f f f 1,0 x 01 f f f 9,0 x 01 f f f 5,0 x 01 f f f d$, $0 x 03 f f f 0,0 x 03 f f f 8,0 x 03 f f f 4,0 x 03 f f f c, 0 x 03 f f f 2,0 x 07 f f f 2,0 x 03 f f f a, 0 x 07 f f f 6$, $0 x 05 f f f f, 0 x 07 f f f 7,0 x 03 f f f 3,0 x 03 f f f b, 0 x 03 f f f 1,0 x 03 f f f 9,0 x 03 f f f 5,0 x 03 f f f d$, $0 \times 07 f f f 0,0 x 07 f f f 8,0 x 07 f f f 4,0 x 07 f f f c, 0 x 0 f f f f c, 0 x 0 b f f f a, 0 x 0 b f f f e, 0 x 0 f f f f 6$, $0 \times 0 b f f f f, 0 x 0 b f f f 7,0 x 0 b f f f 3,0 x 0 f f f f b, 0 x 0 f f f f 1,0 \times 07 f f f 9,0 \times 07 f f f 5,0 \times 07 f f f d$, $0 \times 0 f f f f 0,0 x 0 f f f f 8,0 x 1 f f f f 4,0 x 17 f f f c, 0 x 1 f f f f 2,0 x 1 b f f f a, 0 x 1 f f f f e, 0 \times 0 d f f f f$, $0 x 0 f f f f 7,0 x 0 f f f f 3,0 x 1 f f f f 3,0 x 1 f f f f 1,0 x 1 b f f f 1,0 x 17 f f f 9,0 x 17 f f f 5,0 x 1 f f f f d$, $0 x 1 f f f f 0,0 x 3 f f f f 8,0 x 3 f f f f 4,0 x 37 f f f c, 0 x 1 f f f f a, 0 x 3 f f f f a, 0 x 3 b f f f e, 0 x 3 d f f f f$ $0 x 1 f f f f 7,0 x 3 f f f f 3,0 x 3 b f f f b, 0 x 3 f f f f 1,0 x 1 f f f f 9,0 x 3 f f f f 5,0 x 37 f f f 5,0 x 3 f f f f d$, $0 \times 7 \mathrm{ffff} 0,0 \times 7 \mathrm{ffff} 8,0 \times 77 \mathrm{fffc}, 0 x 7 f f f f c, 0 x 7 f f f f a, 0 x 7 f f f f e, 0 x 6 \mathrm{dffff}, 0 \times 7 \mathrm{dffff}$ $0 \times 7 f f f f 7,0 x 7 f f f f 3,0 \times 7 f f f f b, 0 x 7 f f f f 1,0 x 7 f f f f 9,0 \times 7 f f f f 5,0 x 6 f f f f d, 0 \times 7 f f f f d$ $0 x 07 f f f f$, \}; /* Size of each Huffman encoding scheme */ static uint16 sizes[8] $=\{$ 25, 47, 69, 109, 169, 247, 395, 609, \};


## 7. Appendix C: inverse DCT and WHT algorithms

The fast DCT algorithm is described in "A Fast Computational Algorithm for the Discrete Cosine Transform" by Wen-Hsiung Chen, C. Harrison Smith, and S. C. Fralick, IEEE Transactions On Communications, Vol. COM-25, No. 9, September 1977, pp. 1004-1009. This is a simple floating-point implementation of that algorithm ( ${ }^{\sim} \mathrm{mc} / \mathrm{src} / \mathrm{mocprot} / \mathrm{downlink} / \mathrm{image} / \mathrm{xdecomp} / \mathrm{invFdct} 16 x 16 . c$ on host barsoom at MSSS) and is not intended to be an example of the best possible way to implement the algorithm or to write programs.

```
#define MULTDOUBLE(r,v,c) (r) = (v) * (c);
static double cosineDouble[16] = {
    1.00000000000000000000e+00,
    9.951847266721968900000-01,
    9.80785280403230440000e-01,
    9.56940335732208870000e-01,
    9.238795325112867500000-01,
    8.81921264348355040000e-01,
    8.314696123025452400000-01,
    7.73010453362736970000e-01,
    7.07106781186547530000e-01,
    6.343932841636455000000-01,
    5.555702330196022200000-01,
    4.713967368259976600000-01,
    3.82683432365089760000e-01,
    2.90284677254462360000e-01,
    1.95090322016128270000e-01,
    9.80171403295606040000e-02,
};
static void DCTinv16Double(in,out) double *in,*out;
double tmp[16]
register double tmp1,tmp2;
```

```
tmp[0] = in[0];
    tmp[1] = in[8];
    tmp[2] = in[4];
    tmp[3] = in[12];
    tmp[4] = in[2];
    tmp[5] = in[10];
    tmp[6] = in[6];
    tmp[7] = in[14];
    MULTDOUBLE(tmp1,in[1],cosineDouble[15]); MULTDOUBLE(tmp2,in[15],cosineDouble[1]);
    tmp[8] = tmp1 - tmp2;
    MULTDOUBLE (tmp1, in [9], cosineDouble[7]); MULTDOUBLE(tmp2,in[7],cosineDouble[9]);
    tmp[9] = tmp1 - tmp2;
    MULTDOUBLE(tmp1,in[5],cosineDouble[11]); MULTDOUBLE(tmp2,in[11],cosineDouble[5]);
    tmp[10] = tmp1 - tmp2;
    MULTDOUBLE(tmp1,in[13],cosineDouble[3]); MULTDOUBLE(tmp2,in[3],cosineDouble[13]);
    tmp[11] = tmp1 - tmp2;
    MULTDOUBLE(tmp1,in[3],cosineDouble[3]); MULTDOUBLE(tmp2,in[13],cosineDouble[13]);
    tmp[12] = tmp1 + tmp2;
    MULTDOUBLE(tmp1,in[11],cosineDouble[11]); MULTDOUBLE(tmp2,in[5],cosineDouble[5]);
    tmp[13] = tmp1 + tmp2;
    MULTDOUBLE(tmp1,in[7],cosineDouble[7]); MULTDOUBLE(tmp2,in[9],cosineDouble[9]);
    tmp[14] = tmp1 + tmp2;
    MULTDOUBLE(tmp1,in[15],cosineDouble[15]); MULTDOUBLE(tmp2,in[1],cosineDouble[1]);
    tmp[15] = tmp1 + tmp2;
    out[0] = tmp[0];
    out[1] = tmp[1];
    out[2] = tmp[2];
    out[3] = tmp[3];
    MULTDOUBLE (tmp1,tmp [4],cosineDouble[14]); MULTDOUBLE (tmp2,tmp[7],cosineDouble[2]);
    out[4] = tmp1 - tmp2;
    MULTDOUBLE (tmp1,tmp[5], cosineDouble[6]); MULTDOUBLE (tmp2,tmp[6],cosineDouble[10]);
    out[5] = tmp1 - tmp2;
    MULTDOUBLE (tmp1,tmp[6],cosineDouble[6]); MULTDOUBLE(tmp2,tmp[5],cosineDouble[10]);
    out[6] = tmp1 + tmp2;
    MULTDOUBLE (tmp1,tmp[7], cosineDouble[14]); MULTDOUBLE (tmp2,tmp[4],cosineDouble[2]);
    out[7] = tmp1 + tmp2;
    out[8] = tmp[8] + tmp[9];
    out[9] = -tmp[9] + tmp[8];
    out[10] = -tmp[10] + tmp[11];
    out[11] = tmp[11] + tmp[10];
    out[12] = tmp[12] + tmp[13];
    out[13] = -tmp[13] + tmp[12];
    out[14] = -tmp[14] + tmp[15];
    out[15] = tmp[15] + tmp[14];
    tmp1 = out[0] + out[1];
    MULTDOUBLE (tmp[0],tmp1, cosineDouble[8]);
    tmp1 = -out[1] + out[0];
    MULTDOUBLE (tmp[1],tmp1, cosineDouble [8]);
    MULTDOUBLE (tmp1,out [2],cosineDouble[12]); MULTDOUBLE (tmp2,out [3], cosineDouble [4]);
    tmp[2] = tmp1 - tmp2;
    MULTDOUBLE (tmp1,out [3],cosineDouble[12]); MULTDOUBLE(tmp2,out[2],cosineDouble[4]);
    tmp[3] = tmp1 + tmp2;
    tmp[4] = out[4] + out[5];
    tmp[5] = -out[5] + out[4];
    tmp[6] = -out[6] + + out[7];
    tmp[7] = out[7] + out[6];
    tmp[8] = out[8];
    MULTDOUBLE (tmp1,out[9],cosineDouble[4]); MULTDOUBLE(tmp2,out[14],cosineDouble[12]);
    tmp[9] = -tmp1 + tmp2;
    MULTDOUBLE (tmp1,out[10],cosineDouble[12]); MULTDOUBLE(tmp2,out [13],cosineDouble[4]);
    tmp[10] = -tmp1 - tmp2;
    tmp[11] = out[11];
    tmp[12] = out[12];
    MULTDOUBLE (tmp1,out[13],cosineDouble[12]); MULTDOUBLE(tmp2,out[10],cosineDouble[4]);
    tmp[13] = tmp1 - tmp2;
    MULTDOUBLE (tmp1, out [14],cosineDouble[4]); MULTDOUBLE(tmp2,out [9],cosineDouble[12]);
    tmp[14] = tmp1 + tmp2;
    tmp[15] = out[15];
    out[0] = tmp[0] + tmp[3];
    out[1] = tmp[1] + tmp[2];
    out[2] = -tmp[2] + tmp[1];
    out[3] = -tmp[3] + tmp[0];
    out[4] = tmp[4];
    tmp1 = -tmp[5] + tmp[6];
    MULTDOUBLE (out [5],tmp1, cosineDouble [8]);
    tmp1 = tmp[6] + tmp[5];
    MULTDOUBLE (out[6],tmp1, cosineDouble[8]);
    out[7] = tmp[7];
    out[8] = tmp[8] + tmp[11];
    out[9] = tmp[9] + tmp[10];
    out[10] = -tmp[10] + tmp[9];
    out[11] = -tmp[11] + tmp[8];
    out[12] = -tmp[12] + tmp[15];
    out[13] = -tmp[13] + tmp[14];
    out[13] = -tmp[13] + tmp[14];
```

```
    out[15] = tmp[15] + tmp[12];
    tmp[0] = out[0] + out[7];
    tmp[1] = out[1] + out[6];
    tmp[2] = out[2] + out[5];
    tmp[3] = out[3] + out[4];
    tmp[4] = -out[4] + out[3];
    tmp[5] = -out[5] + out[2];
    tmp[6] = -out[6] + out[1];
    tmp[7] = -out[7] + out[0];
    tmp[8] = out[8];
    tmp[9] = out[9];
    tmp1 = -out[10] + out[13];
    MULTDOUBLE (tmp[10],tmp1,cosineDouble[8]);
    tmp1 = -out[11] + out[12];
    MULTDOUBLE (tmp[11],tmp1, cosineDouble[8]);
    tmp1 = out[12] + out[11];
    MULTDOUBLE (tmp[12],tmp1, cosineDouble [8]);
    tmp1 = out[13] + out[10];
    MULTDOUBLE (tmp[13],tmp1,cosineDouble[8]);
    tmp[14] = out[14];
    tmp[15] = out[15];
    out[0] = tmp[0] + tmp[15]
    out[1] = tmp[1] + tmp[14];
    out[2] = tmp[2] + tmp[13]
    out[3] = tmp[3] + tmp[12];
    out[4] = tmp[4] + tmp[11];
    out[5] = tmp[5] + tmp[10]
    out[6] = tmp[6] + tmp[9];
    out[7] = tmp[7] + tmp[8];
    out[8] = -tmp[8] + tmp[7];
    out[9] = -tmp[9] + tmp[6];
    out[10] = -tmp[10] + tmp[5];
    out[11] = -tmp[11] + tmp[4];
    out[12] = -tmp[12] + tmp[3];
    out[13] = -tmp[13] + tmp[2];
    out[14] = -tmp[14] + tmp[1];
    out[15] = -tmp[15] + tmp[0];
}
void invFdct16x16(in,out) int16 *in,*out; {
uint32 i,j;
double data[256],*scanData,*other;
double temp;
scanData = data;
*(scanData++) = (uint16)(*(in++));
for (i = 1; i < 256; i++) {
            *(scanData++) = *(in++);
};
for (i = 0, scanData = data; i < 16; i++, scanData += 16) {
            DCTinv16Double(scanData,scanData);
};
for (i = 0, scanData = data, other = data+16; i < 16; i++, other += 17) {
double *scanOther;
    scanData += i+1;
    scanOther = other
    for (j = i+1; j < 16; j++, scanData++, scanOther += 16) {
                temp = *scanData;
                *scanData = *scanOther;
                    *scanOther = temp;
            };
};
for (i = 0, scanData = data; i < 16; i++, scanData += 16) {
    DCTinv16Double(scanData,scanData);
};
for (i = 0, scanData = data, other = data+16; i < 16; i++, other += 17) {
double *scanOther;
    scanData += i+1;
        scanOther = other
            for (j = i+1; j < 16; j++, scanData++, scanOther += 16) {
                temp = *scanData;
                *scanData = *scanOther;
                *scanOther = temp;
            };
    };
```

```
    for (i = 0, scanData = data; i < 256; i++) {
    int16 cur;
        cur = *(scanData++) / 127.0 + 0.5;
            if (cur < 0) {
                cur = 0;
            };
            if (cur > 255) {
                cur = 255;
            };
        *(out++) = cur
    };
}
```

For a discussion of the Walsh-Hadamard transform, see any book on image compression, for example R.J. Clarke, TRANSFORM CODING OF IMAGES, Academic Press, 1985.
This example module calculates a "sequency" ordered, two dimensional inverse Walsh-Hadamard transform (WHT) on $16 \times 16$ blocks of data. It is done as two one dimensional transforms (one of the rows followed by one of the columns). Each one dimensional transform is implemented as a 16 point, 4 stage "butterfly".

These routines, taken from the MOC flight software, have been highly optimized to produce very fast 32000 executable code but still use C for coding (thus allowing compilation on other machines).

```
#include stdio.h
#include "fs.h"
/*
    * This defines a four input (and output), two stage "butterfly"
    * calculation done completely in registers (once the data is read from
    * memory. Four input and two stages was picked to maximize the use of
    * the 32000's registers. Eight of these are required to do a }16\mathrm{ point,
    * one dimensional WHT. The "simple" formulas for this "butterfly" are
*
* n0 = i0 + i1
n1 = i0 - i1 First stage
n2 = i2 + i3
n3 = i2 - i3
o0 = n0 + n2
o1 = n1 + n3 Second stage
o2 = n0 - n2
o3 = n1 - n3
* All data (in and out) is assumed to be 16 bit integers. "in" is the
* base address of the input data array and "ii" is the scaling factor to
* use on the next four indexes into "in" (this allows moving by rows or
* columns through a two dimensional array stored as a one dimensional set
* of numbers). "i0", "il", "i2", and "i3" are the unscaled indexes into
* "in". "out" is the base address of the output data array and "oi" is
* the scaling factor to use on the next four indexes into "out" (this
* allows moving by rows or columns through a two dimensional array stored
* as a one dimensional set of numbers). "०0", "०1", "०2", and "०3" are
* the unscaled indexes into "out".
*/
#define BUTTERFLY4(in,ii,i0,i1,i2,i3,out,oi,o0,o1,o2,o3)\
    {
            register int32 t0,t1,t2,t3,t4;\
    /* Load input into registers */\
    t0 = in[(ii)*(i0)];
    t1 = in[(ii)*(i1)];
    t2 = in[(ii)*(i2)];
    t3 = in[(ii)*(i3)];
    /* Do first stage */
    t4 = t0;
    t4 += t1;
    t0 -= t1;
    t1 = t2;
    t1 += t3;
    t2 -= t3;
    /* Do second stage */
    t3 = t4;
    t3 += t1;
    t4 -= t1;
```

|  | $\backslash$ |
| :---: | :---: |
| t 1 = t 0 ; | $\backslash$ |
| t1 += t2; | $\backslash$ |
| t0 -= t2; | $\backslash$ |
|  | $\backslash$ |
| /* Store results from | registers */\} |
| out [(oi)* (o0)] = t3; | $\backslash$ |
| out $[(0 \mathrm{i}) *(\mathrm{ol})]=\mathrm{t}$; | $\backslash$ |
| out [(oi)*(o2)] = t4; | 1 |
| out [(oi)*(o3)] = t0; | $\backslash$ |

\}

```
static void invFwht16_row(in,out) register int32 *in,*out;
/*
    This function does a 16 point, one dimensional inverse WHT on 16, 32
    * bit integers stored as a vector (as in the rows of a two dimensional
    * array) and puts the results in a 32 bit integer vector. The transform
    * is not normalized but is in "sequency" order.
*
    * pre:
* post:
* "out" - the 16 outputs stored as 32 bit integers in a vector.
*/
int32 data[32]; /* Temporary storage used between stages */
register int32 *tmp; /* Register pointer to the temporary storage */
    /* Point at temporary storage */
    tmp = data;
    /* Perform first two stages of 16 point butterfly */
    BUTTERFLY4 (in , 1, 0, 1, 2, 3,tmp, 1, 0, 1, 2, 3);
    BUTTERFLY4 (in , 1, 4, 5, 6, 7,tmp, 1, 4, 5, 6, 7);
    BUTTERFLY4(in , 1, 8, 9,10,11,tmp, 1, 8, 9,10,11);
    BUTTERFLY4(in , 1,12,13,14,15,tmp, 1,12,13,14,15);
    /*
    * Perform last two stages of }16\mathrm{ point butterfly and store in
        * "sequency" order
        */
        BUTTERFLY4(tmp, 1, 0, 4, 8,12,out, 1, 0, 3, 1, 2);
        BUTTERFLY4(tmp, 1, 1, 5, 9,13,out, 1,15,12,14,13);
        BUTTERFLY4 (tmp, 1, 2, 6,10,14,out, 1, 7, 4, 6, 5);
        BUTTERFLY4 (tmp, 1, 3, 7,11,15,out, 1, 8,11, 9,10);
}
static void invFwht16_col(in,out) register int32 *in,*out; {
/*
    * This function does a 16 point, one dimensional inverse WHT on 16, 32
    * bit integers stored as a vector in every 16th location (as in the
    * columns of a two dimensional array stored as a one dimensional array by
    * rows) and puts the results out in a similar manner. The transform is
    * not normalized but is in "sequency" order.
* pre:
* pre:
* "in" - the 16 inputs stored as 32 bit integers in every 16th location.
* post:
* "out" - the 16 outputs stored as 32 bit integers in every 16th location.
*/
int32 data[16]; /* Temporary storage used between stages */
register int32 *tmp; /* Register pointer to the temporary storage */
    /* Point at temporary storage */
    tmp = data;
    /* Perform first two stages of 16 point butterfly */
    BUTTERFLY4(in ,16, 0, 1, 2, 3,tmp, 1, 0, 1, 2, 3);
    BUTTERFLY4(in ,16, 4, 5, 6, 7,tmp, 1, 4, 5, 6, 7);
    BUTTERFLY4(in ,16, 8, 9,10,11,tmp, 1, 8, 9,10,11);
    BUTTERFLY4 (in ,16,12,13,14,15,tmp, 1,12,13,14,15);
    /*
    * Perform last two stages of 16 point butterfly and store in
    * "sequency" order
    */
        BUTTERFLY4 (tmp, 1, 0, 4, 8,12,out,16, 0, 3, 1, 2);
        BUTTERFLY4 (tmp, 1, 1, 5, 9,13,out,16,15,12,14,13);
        BUTTERFLY4 (tmp, 1, 2, 6,10,14,out,16, 7, 4, 6, 5);
        BUTTERFLY4(tmp, 1, 3, 7,11,15,out,16, 8,11, 9,10);
}
void invFwht16x16(in,out) register int16 *in,*out; {
/*
    * This function does a "sequency" ordered WHT on a 16 x 16 array of data
    * (stored as 16 bit integers) stored in 256 contiguous locations. The
    * transform is normalized. The input is assumed to be 16 bit signed
    * integers EXCEPT for the DC entry which is be treated as UNSIGNED. The
    * result is stored in a 16 x 16 array of the same structure. The output
```

```
* is all 8 bit, unsigned integers.
* pre:
    * pre: "in" - the 16 x 16 input block data stored as 16 bit integers.
    * post:
    * "out" - the 16 x 16 output block data stored as 16 bit integers
uint32 i;
/* Generic looping variable */
int32 data[256]; /* Temporary storage for transform */
    /* Convert 16 bit integers to 32 bit integers */
    {
    register int16 *scanIn;
    register int32 *scanData;
    scanIn = in;
    scanData = data;
    *(scanData++) = (uint16)(*(scanIn++));
    for (i = 1; i < 256; i++) {
        *(scanData++) = *(scanIn++);
    };
{
register int32 *scanData; /* Current row start in "data" */
/*
* Pass each row in "data" array (as a vector of size 16) to the
* 16 point, 1D inverse WHT and store the results in contiguous
* 16 point locations in "data". At completion all rows have been
* inverse transformed in one dimension.
*/
for (i = 0, scanData = data; i < 16; i++, scanData += 16) {
    invFwht16_row(scanData,scanData);
};
};
register int32 *scanData; /* Current column start in "data" */
/*
* Inverse transform each column in the 16 x 16 block stored by rows
* as a }256\mathrm{ point vector.
*/
for (i = 0, scanData = data; i < 16; i++, scanData++) {
    invFwht16_col(scanData,scanData);
};
/* Convert 32 bit integers to 16 bit integers */
{
register int32 *scanData;
register int16 *scanOut;
scanData = data;
scanOut = out;
for (i = 0; i < 256; i++) {
register int32 cur;
        cur = *(scanData++);
        cur >>= 8;
        if (cur < 0)
        };
        if (cur > 255) {
        };
        *(scanOut++) = cur;
    };
}
```


## 8. Appendix D: predictive Huffiman code tables

(IPS/predcode.h from the flight software.)
/* IDENTITY; NO COMPRESSION -- dumped from 'default.code' */ uint16 Code0Bits[256] $=\{$
$0 \times 0000,0 \times 0001,0 x 0002,0 x 0003,0 x 0004,0 x 0005,0 x 0006,0 \times 0007$, $0 x 0008,0 \times 0009,0 x 000 a, 0 x 000 b, 0 x 000 c, 0 x 000 \mathrm{~d}, 0 \times 000 \mathrm{e}, 0 \times 000 \mathrm{f}$, $0 x 0010,0 \times 0011,0 x 0012,0 x 0013,0 x 0014,0 x 0015,0 x 0016,0 x 0017$, $0 \times 0018,0 \times 0019,0 \times 001 a, 0 \times 001 b, 0 x 001 \mathrm{c}, 0 \times 001 \mathrm{~d}, 0 \times 001 \mathrm{e}, 0 \times 001 \mathrm{f}$, $0 x 0020,0 \times 0021,0 x 0022,0 \times 0023,0 x 0024,0 \times 0025,0 \times 0026,0 \times 0027$, 0x0028, 0x0029, 0x002a, 0x002b, 0x002c, 0x002d, 0x002e, 0x002f, $0 \times 0030,0 \times 0031,0 x 0032,0 x 0033,0 x 0034,0 \times 0035,0 \times 0036,0 \times 0037$, $0 x 0038,0 \times 0039,0 x 003 a, 0 x 003 b, 0 x 003 c, 0 x 003 d, 0 x 003 e, 0 x 003 f$, $0 \times 0040,0 \times 0041,0 \times 0042,0 \times 0043,0 x 0044,0 \times 0045,0 \times 0046,0 \times 0047$, $0 x 0048,0 x 0049,0 x 004 a, 0 x 004 b, 0 x 004 c, 0 x 004 d, 0 x 004 e, 0 \times 004 \mathrm{f}$, $0 \times 0050,0 \times 0051,0 \times 0052,0 \times 0053,0 \times 0054,0 \times 0055,0 \times 0056,0 \times 0057$, $0 \times 0058,0 x 0059,0 \times 005 a, 0 x 005 b, 0 x 005 c, 0 x 005 d, 0 \times 005 e, 0 \times 005 f$, $0 x 0060,0 x 0061,0 x 0062,0 x 0063,0 x 0064,0 x 0065,0 x 0066,0 \times 0067$, $0 x 0068,0 x 0069,0 x 006 a, 0 x 006 b, 0 x 006 \mathrm{c}, 0 \times 006 \mathrm{~d}, 0 \times 006 \mathrm{e}, 0 \times 006 \mathrm{f}$, $0 \times 0070,0 \times 0071,0 x 0072,0 \times 0073,0 x 0074,0 \times 0075,0 \times 0076,0 \times 0077$, $0 \times 0078,0 \times 0079,0 \times 007 a, 0 \times 007 b, 0 \times 007 c, 0 x 007 d, 0 \times 007 e, 0 \times 007 f$, $0 \times 0080,0 \times 0081,0 \times 0082,0 \times 0083,0 \times 0084,0 \times 0085,0 \times 0086,0 \times 0087$, $0 x 0088,0 \times 0089,0 x 008 a, 0 x 008 b, 0 x 008 c, 0 x 008 d, 0 x 008 e, ~ 0 x 008 f$, 0x0090, 0x0091, 0x0092, 0x0093, 0x0094, 0x0095, 0x0096, 0x0097, $0 x 0098,0 x 0099,0 x 009 a, 0 x 009 b, 0 x 009 c, 0 x 009 d, 0 x 009 e, ~ 0 x 009 f$, $0 x 00 a 0,0 x 00 a 1,0 x 00 a 2,0 x 00 a 3,0 x 00 a 4,0 \times 00 a 5,0 \times 00 a 6,0 \times 00 a 7$, $0 \times 00 \mathrm{a} 8,0 \times 00 \mathrm{a} 9,0 \times 00 \mathrm{aa}, 0 \times 00 \mathrm{ab}, 0 \times 00 \mathrm{ac}, 0 \times 00 \mathrm{ad}, 0 \times 00 \mathrm{ae}, 0 \times 00 \mathrm{af}$, $0 \times 00 b 0,0 \times 00 b 1,0 \times 00 b 2,0 x 00 b 3,0 x 00 b 4,0 \times 00 b 5,0 \times 00 b 6,0 \times 00 b 7$, $0 \times 00 \mathrm{~b} 8,0 \times 00 \mathrm{~b} 9,0 \times 00 \mathrm{ba}, 0 \times 00 \mathrm{bb}, 0 \times 00 \mathrm{bc}, 0 \times 00 \mathrm{bd}, 0 \times 00 \mathrm{be}, 0 \times 00 \mathrm{bf}$, $0 \times 00 c 0,0 \times 00 c 1,0 \times 00 c 2,0 \times 00 c 3,0 \times 00 c 4,0 \times 00 c 5,0 \times 00 c 6,0 \times 00 c 7$, $0 x 00 c 8,0 x 00 c 9,0 x 00 c a, ~ 0 x 00 c b, ~ 0 x 00 c c, ~ 0 x 00 c d, ~ 0 x 00 c e, ~ 0 x 00 c f$, $0 x 00 \mathrm{~d} 0,0 x 00 \mathrm{~d} 1,0 x 00 \mathrm{~d} 2,0 x 00 \mathrm{~d} 3,0 \times 00 \mathrm{~d} 4,0 x 00 \mathrm{~d} 5,0 \times 00 \mathrm{~d} 6,0 \times 00 \mathrm{~d} 7$, $0 \times 00 \mathrm{~d} 8,0 \times 00 \mathrm{~d} 9,0 \times 00 \mathrm{da}, 0 \times 00 \mathrm{db}, 0 \times 00 \mathrm{dc}, 0 \times 00 \mathrm{dd}, 0 \times 00 \mathrm{de}, 0 \times 00 \mathrm{df}$, $0 \times 00 \mathrm{e} 0,0 \times 00 \mathrm{e} 1,0 \times 00 \mathrm{e} 2,0 \times 00 \mathrm{e} 3,0 \times 00 \mathrm{e} 4,0 \times 00 \mathrm{e} 5,0 \times 00 \mathrm{e} 6,0 \times 00 \mathrm{e} 7$, $0 \times 00 \mathrm{e} 8,0 \times 00 \mathrm{e} 9,0 \times 00 \mathrm{ea}, 0 \times 00 \mathrm{eb}, 0 \times 00 \mathrm{ec}, 0 \times 00 \mathrm{ed}, 0 \times 00 \mathrm{ee}, 0 \times 00 \mathrm{ef}$, $0 x 00 f 0,0 x 00 f 1,0 x 00 f 2,0 x 00 f 3,0 x 00 f 4,0 x 00 f 5,0 x 00 f 6,0 \times 00 f 7$, $0 x 00 f 8,0 x 00 f 9,0 x 00 f a, 0 x 00 f b, 0 x 00 f c, 0 x 00 f d, 0 x 00 f e, 0 x 00 f f$, \};

| 8 , | 8, | 8 , | 8 , | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 8, | 8, | 8 , | 8 , | 8 , | 8, | 8 , | 8, | 8 , | 8, | 8 , | 8, | 8 , | 8 , | 8 , |
| 8 , | 8 , | 8 , | 8 , | 8, | 8 , | 8 , | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, |
| 8 , | 8 , | 8 , | 8 , | 8, | 8 , | 8 , | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, |
| 8, | 8, | 8, | 8, | 8 , | 8, | 8, | 8, | 8 , | 8, | 8 , | 8, | 8 , | 8 , | 8, |
| 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, |
| 8, | 8, | 8, | 8 , | 8 , | 8, | 8, | 8, | 8 , | 8, | 8, | 8, | 8 , | 8 , | 8, |
| 8 , | 8 , | 8, | 8, | 8 , | 8 , | 8, | 8, | 8 , | 8, | 8, | 8, | 8 , | 8 , | 8, |
| 8 , | 8, | 8 , | 8, | 8 , | 8, | 8 , | 8, | 8 , | 8, | 8 , | 8, | 8 , | 8 , | 8 , |
| 8, | 8 , | 8 , | 8, | 8 , | 8 , | 8 , | 8, | 8 , | 8, | 8, | 8, | 8 , | 8 , | 8, |
| 8 , | 8 , | 8 , | 8, | 8, | 8 , | 8 , | 8, | 8, | 8, | 8 , | 8, | 8, | 8 , | 8, |
| 8 , | 8 , | 8 , | 8, | 8 , | 8 , | 8, | 8, | 8 , | 8, | 8, | 8, | 8 , | 8 , | 8, |
| 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, | 8, |
| 8 , | 8, | 8 , | 8, | 8 , | 8, | 8, | 8, | 8 , | 8, | 8, | 8, | 8 , | 8 , | 8, |
| 8, | 8, | 8, | 8 , | 8 , | 8, | 8, | 8, | 8 , | 8, | 8, | 8, | 8 , | 8 , | 8, |
| 8, | 8 , | 8 , | 8, | 8 , | 8 , | 8, | 8, | 8 , | 8, | 8, | 8, | 8 , | 8 , | 8, |

/* dumped from 'exp01.code' */
uint16 Code1Bits[256] =
$0 \times 0000,0 \times 0001,0 x 000 \mathrm{~d}, 0 \times 0055,0 \times 00 £ 5,0 \times 0375,0 \times 0135,0 \times 1135$, $0 \times 5 a 75,0 x 1 a 75,0 \times 6 a 75,0 \times 2 a 75,0 \times 4 a 75,0 \times 0 a 75,0 \times 7275,0 \times 3275$, $0 \times 5275,0 x 1275,0 x 6275,0 x 2275,0 x 4275,0 x 0275,0 x 7 c 75,0 x 3 c 75$, $0 x 5 c 75,0 x 1 c 75,0 x 6 c 75,0 x 2 c 75,0 x 4 c 75,0 x 0 c 75,0 x 7475,0 \times 3475$, $0 \times 5475,0 \times 1475,0 \times 6475,0 \times 2475,0 \times 4475,0 \times 0475,0 \times 7875,0 \times 3875$, $0 \times 5875,0 \times 1875,0 \times 6875,0 \times 2875,0 \times 4875,0 \times 0875,0 \times 7075,0 \times 3075$, $0 \times 5075,0 \times 1075,0 \times 6075,0 \times 2075,0 \times 4075,0 \times 0075,0 \times 7 \mathrm{fb} 5,0 \times 3 f b 5$, $0 \times 5 \mathrm{fb} 5,0 \times 1 \mathrm{fb} 5,0 \times 6 \mathrm{fb} 5,0 \times 2 \mathrm{fb} 5,0 \times 4 \mathrm{fb} 5,0 \times 0 \mathrm{fb} 5,0 \times 77 \mathrm{~b} 5,0 \times 37 \mathrm{~b} 5$, $0 \times 57 b 5,0 \times 17 b 5,0 \times 67 b 5,0 \times 27 b 5,0 \times 47 b 5,0 \times 07 b 5,0 \times 7 b b 5,0 \times 3 b b 5$, $0 \times 5 b b 5,0 x 1 b b 5,0 x 6 b b 5,0 x 2 b b 5,0 x 4 b b 5,0 x 0 b b 5,0 x 73 b 5,0 x 33 b 5$, $0 \times 53 b 5,0 x 13 b 5,0 \times 63 b 5,0 \times 23 b 5,0 x 43 b 5,0 \times 03 b 5,0 \times 7 \mathrm{db} 5,0 \times 3 \mathrm{db} 5$, $0 \times 5 \mathrm{db} 5,0 \times 1 \mathrm{db} 5,0 \times 6 \mathrm{db} 5,0 \times 2 \mathrm{db} 5,0 \times 4 \mathrm{db} 5,0 \times 0 \mathrm{db} 5,0 \times 75 \mathrm{~b} 5,0 \times 35 \mathrm{~b} 5$, $0 \times 55 b 5,0 \times 15 b 5,0 \times 65 b 5,0 \times 25 b 5,0 \times 45 b 5,0 \times 05 b 5,0 \times 79 b 5,0 \times 39 b 5$, $0 \times 59 b 5,0 \times 19 b 5,0 \times 69 b 5,0 \times 29 b 5,0 \times 49 b 5,0 \times 09 b 5,0 \times 71 b 5,0 \times 31 b 5$, $0 \times 51 b 5,0 x 11 b 5,0 x 61 b 5,0 x 21 b 5,0 x 41 b 5,0 x 01 b 5,0 x 7 e b 5,0 \times 3 e b 5$, $0 \times 5 e b 5,0 x 1 e b 5,0 x 3 a 75,0 \times 2 e b 5,0 x 4 e b 5,0 x 6 e b 5,0 x 6675,0 \times 1675$, $0 \times 5675,0 x 16 b 5,0 x 66 b 5,0 x 26 b 5,0 x 46 b 5,0 x 06 b 5,0 x 7 a b 5,0 x 3 a b 5$, $0 x 5 a b 5,0 x 1 a b 5,0 x 6 a b 5,0 x 2 a b 5,0 x 4 a b 5,0 x 0 a b 5,0 x 72 b 5,0 \times 32 b 5$, $0 \times 52 b 5,0 \times 12 b 5,0 \times 62 b 5,0 \times 22 b 5,0 \times 42 b 5,0 \times 02 b 5,0 \times 7 \mathrm{cb} 5,0 \times 3 \mathrm{cb} 5$, $0 \times 5 \mathrm{cb} 5,0 \times 1 \mathrm{cb} 5,0 \times 6 \mathrm{cb} 5,0 \times 2 \mathrm{cb} 5,0 \times 4 \mathrm{cb} 5,0 \times 0 \mathrm{cb} 5,0 \times 74 \mathrm{~b} 5,0 \times 34 \mathrm{~b} 5$, $0 \times 54 b 5,0 \times 14 b 5,0 \times 64 b 5,0 \times 24 b 5,0 \times 44 b 5,0 \times 04 b 5,0 \times 78 b 5,0 \times 38 b 5$, $0 \times 58 b 5,0 \times 18 b 5,0 \times 68 b 5,0 \times 28 b 5,0 \times 48 b 5,0 \times 08 b 5,0 \times 70 b 5,0 \times 30 b 5$, $0 \times 50 b 5,0 x 10 b 5,0 x 60 b 5,0 x 20 b 5,0 x 40 b 5,0 x 00 b 5,0 x 0 e b 5,0 x 3 f 35$, $0 \times 7 f 35,0 x 1 f 35,0 x 6 f 35,0 x 2 f 35,0 x 4 f 35,0 x 0 f 35,0 \times 7735,0 \times 3735$, $0 \times 5735,0 \times 1735,0 \times 6735,0 \times 2735,0 \times 4735,0 \times 0735,0 \times 7 b 35,0 \times 3 b 35$, $0 \times 5 \mathrm{~b} 35,0 \times 1 \mathrm{~b} 35,0 \times 6 \mathrm{~b} 35,0 \times 2 \mathrm{~b} 35,0 \times 4 \mathrm{~b} 35,0 \times 0 \mathrm{~b} 35,0 \times 7335,0 \times 3335$, $0 \times 5335,0 \times 1335,0 \times 6335,0 \times 2335,0 \times 5 f 35,0 \times 4335,0 \times 7$ d35, $0 \times 3$ d 35 , $0 \times 5 \mathrm{~d} 35,0 x 1 d 35,0 x 6 d 35,0 x 2 d 35,0 x 4 d 35,0 x 0 d 35,0 \times 7535,0 \times 3535$, 0x5535, 0x1535, 0x6535, 0x0335, 0x2535, 0x0535, 0x7935, 0x3935, $0 \times 5935,0 x 1935,0 x 6935,0 x 4535,0 x 2935,0 x 0935,0 \times 7135,0 \times 4935$, $0 \times 5135,0 \times 3135,0 \times 56 b 5,0 \times 36 b 5,0 \times 76 b 5,0 \times 7 a 75,0 \times 0675,0 \times 4675$,
$0 \times 2675,0 \times 3675,0 \times 0 e 75,0 \times 0175,0 \times 0035,0 \times 0015,0 \times 0005,0 \times 0003$, \};
uint 8 Code1Len [256] $=\{$
$1,3,4,7,8,10,13,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,14,12,10,9,7,5,2$, \};
/* dumped from 'exp02.code' */
uint16 Code2Bits[256] $=\{$
$0 \times 0002,0 \times 0000,0 \times 0005,0 \times 000 c, 0 x 0011,0 x 003 c, 0 x 00 f c, 0 \times 0101$, $0 \times 0081,0 \times 0181,0 x 0 \mathrm{~d} 81,0 \times 0 \mathrm{dc} 1,0 \times 09 \mathrm{c} 1,0 \times 0 \mathrm{ec} 1,0 \times 76 \mathrm{c} 1,0 \times 36 \mathrm{c} 1$, $0 \times 56 c 1,0 x 16 c 1,0 \times 66 c 1,0 \times 26 c 1,0 \times 46 c 1,0 \times 06 c 1,0 \times 7 a c 1,0 \times 3 a c 1$, 0x5ac1, 0x1ac1, 0x6ac1, 0x2ac1, 0x4ac1, 0x0ac1, 0x72c1, 0x32c1, $0 x 52 c 1,0 x 12 c 1,0 x 62 c 1,0 x 22 c 1,0 x 42 c 1,0 \times 02 c 1,0 x 7 c c 1,0 \times 3 c c 1$ $0 \times 5 \mathrm{cc} 1,0 \times 1 \mathrm{cc} 1,0 \times 6 \mathrm{cc} 1,0 \times 2 \mathrm{cc} 1,0 \times 4 \mathrm{cc} 1,0 \times 0 \mathrm{cc} 1,0 \times 74 \mathrm{c} 1,0 \times 34 \mathrm{c} 1$, $0 \times 54 \mathrm{c} 1,0 \times 14 \mathrm{c} 1,0 \times 64 \mathrm{c} 1,0 \times 24 \mathrm{c} 1,0 \times 44 \mathrm{c} 1,0 \times 04 \mathrm{c} 1,0 \times 78 \mathrm{c} 1,0 \times 38 \mathrm{c} 1$, $0 \times 58 c 1,0 \times 18 c 1,0 \times 68 c 1,0 \times 28 c 1,0 \times 48 c 1,0 \times 08 c 1,0 \times 70 c 1,0 \times 30 c 1$, $0 \times 50 c 1,0 \times 10 c 1,0 \times 60 c 1,0 \times 20 c 1,0 \times 40 c 1,0 \times 00 c 1,0 \times 7 f 41,0 \times 3 f 41$, $0 x 5 £ 41,0 x 1 f 41,0 x 6 £ 41,0 x 2 f 41,0 x 4 f 41,0 x 0 f 41,0 x 7741,0 \times 3741$, $0 \times 5741,0 x 1741,0 x 6741,0 x 2741,0 x 4741,0 x 0741,0 x 7 b 41,0 x 3 b 41$, $0 \times 5 b 41,0 x 1 b 41,0 x 6 b 41,0 \times 2 b 41,0 \times 4 b 41,0 \times 0 b 41,0 \times 7341,0 \times 3341$, $0 \times 5341,0 x 1341,0 \times 6341,0 \times 2341,0 \times 4341,0 \times 0341,0 \times 7 d 41,0 \times 3 d 41$, $0 \times 5 \mathrm{~d} 41,0 \times 1 \mathrm{~d} 41,0 \times 6 \mathrm{~d} 41,0 \times 2 \mathrm{~d} 41,0 \times 4 \mathrm{~d} 41,0 \times 0 \mathrm{~d} 41,0 \times 7541,0 \times 3541$, $0 \times 5541,0 \times 1541,0 \times 6541,0 \times 2541,0 \times 4541,0 \times 0541,0 \times 7941,0 \times 3941$, 0x7ec1, 0x6ec1, 0x21c1, 0x41c1, 0x4ec1, 0x5941, 0x61c1, 0x11c1, $0 \times 51 c 1,0 x 1141,0 x 6141,0 x 2141,0 x 4141,0 x 0141,0 x 7 e 41,0 x 3 e 41$, $0 \times 5 e 41,0 x 1 e 41,0 x 6 e 41,0 \times 2 e 41,0 x 4 e 41,0 x 0 e 41,0 \times 7641,0 \times 3641$, $0 \times 5641,0 \times 1641,0 \times 6641,0 \times 2641,0 \times 4641,0 \times 0641,0 \times 7 a 41,0 \times 3 a 41$, $0 \times 5 a 41,0 x 1 a 41,0 x 6 a 41,0 x 2 a 41,0 x 4 a 41,0 \times 0 a 41,0 x 7241,0 \times 3241$, $0 \times 5241,0 \times 1241,0 \times 6241,0 \times 2241,0 \times 4241,0 \times 0241,0 \times 7 c 41,0 \times 3 c 41$, $0 \times 5 c 41,0 x 1 c 41,0 x 6 c 41,0 x 2 c 41,0 x 4 c 41,0 x 0 c 41,0 \times 7441,0 \times 3441$, 0x5441, 0x1441, 0x1941, 0x2941, 0x4941, 0x0441, 0x7841, 0x3841, 0x5841, 0x1841, 0x6841, 0x2841, 0x4841, 0x0841, 0x7041, 0x3041, $0 \times 5041,0 x 1041,0 x 6041,0 x 2041,0 x 4041,0 x 0041,0 x 7 f 81,0 \times 3 f 81$, $0 \times 5 f 81,0 x 1 f 81,0 x 6 f 81,0 \times 2 f 81,0 x 4 f 81,0 \times 2441,0 \times 0 f 81,0 \times 3781$, $0 \times 5781,0 \times 1781,0 \times 6781,0 \times 2781,0 \times 4781,0 \times 0781,0 \times 7 b 81,0 \times 3 b 81$, $0 \times 5 \mathrm{~b} 81,0 \times 1 \mathrm{~b} 81,0 \times 6 \mathrm{~b} 81,0 \times 7781,0 \times 2 \mathrm{~b} 81,0 \times 0 \mathrm{~b} 81,0 \times 7381,0 \times 3381$, $0 \times 5381,0 x 1381,0 \times 4 b 81,0 \times 6381,0 \times 4381,0 \times 2381,0 \times 0381,0 \times 31 c 1$, 0x4441, 0x6441, 0x7141, 0x0941, 0x2ec1, 0x6941, 0x1ec1, 0x5ec1, 0x3ec1, 0x01c1, 0x5141, 0x3141, 0x19c1, 0x05c1, 0x0581, 0x03c1, $0 \times 0281,0 \times 0001,0 \times 007 \mathrm{c}, 0 \times 0021,0 \times 001 \mathrm{c}, 0 \times 0009,0 \times 0004,0 \times 0003$, \};
uint 8 Code2Len [256] $=$ \{
$2,3,3,5,5,7,8,9,10,11,12,12,13,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,14,15,15,15,15,15,15,15,15$, $15,15,15,15,13,12,12,10,10,9,8,6,6,4,4,2$, \};
/* dumped from 'exp04.code' */
uint16 Code3Bits[256] $=\{$
$0 x 0004,0 x 0006,0 x 0007,0 x 0005,0 x 000 b, 0 x 000 d, 0 \times 0018,0 \times 001 d$, $0 x 0038,0 x 007 d, 0 x 00 f 8,0 x 0003,0 x 0001,0 x 0183,0 x 01 c 3,0 \times 0343$, $0 x 02 \mathrm{c} 3,0 \times 0683,0 x 0 e 81,0 x 08 c 3,0 x 0181,0 x 0 c 83,0 x 1181,0 \times 04 c 3$, $0 \times 5 f 41,0 x 1 f 41,0 x 6 f 41,0 \times 2 f 41,0 \times 4 f 41,0 \times 0 f 41,0 x 7741,0 \times 3741$, $0 \times 5741,0 \times 1741,0 \times 6741,0 \times 2741,0 \times 4741,0 \times 0741,0 \times 7 b 41,0 \times 3 b 41$, $0 \times 5 b 41,0 x 1 b 41,0 x 6 b 41,0 x 2 b 41,0 x 4 b 41,0 x 0 b 41,0 \times 7341,0 \times 3341$, $0 x 5341,0 x 1341,0 x 6341,0 x 2341,0 x 4341,0 x 0341,0 x 7 d 41,0 x 3 d 41$, $0 x 5 d 41,0 x 1 d 41,0 x 6 d 41,0 x 2 d 41,0 x 4 d 41,0 x 0 d 41,0 x 7541,0 x 3541$, $0 \times 5541,0 \times 1541,0 \times 6541,0 \times 2541,0 \times 4541,0 \times 0541,0 \times 7941,0 \times 3941$,
$0 \times 5941,0 x 1941,0 x 6941,0 \times 2941,0 \times 4941,0 x 0941,0 x 7141,0 \times 3141$, $0 \times 5141,0 \times 1141,0 \times 6141,0 \times 2141,0 \times 4141,0 \times 0141,0 \times 7 e 41,0 \times 3 e 41$, $0 \times 5 \mathrm{e} 41,0 x 1 e 41,0 x 6 e 41,0 x 2 e 41,0 x 4 e 41,0 x 0 e 41,0 x 7641,0 \times 3641$, $0 \times 5641,0 \times 1641,0 x 6641,0 \times 2641,0 \times 4641,0 \times 0641,0 \times 7 a 41,0 \times 3 a 41$, $0 x 5 a 41,0 x 1 a 41,0 x 6 a 41,0 x 2 a 41,0 x 4 a 41,0 x 0 a 41,0 x 7241,0 \times 4883$, $0 \times 7 f 41,0 \times 5883,0 \times 1883,0 \times 0483,0 \times 7883,0 \times 3 f 41,0 \times 3241,0 \times 3 c 41$, $0 \times 5 c 41,0 x 1 c 41,0 x 2483,0 \times 4483,0 \times 4 c 41,0 x 0 c 41,0 x 6483,0 \times 1483$, $0 x 5483,0 x 1441,0 x 6441,0 x 2441,0 x 4441,0 x 0441,0 x 7841,0 \times 3841$, $0 \times 5841,0 x 1841,0 x 6841,0 x 2841,0 x 4841,0 x 0841,0 x 7041,0 \times 3041$, $0 \times 5041,0 \times 1041,0 \times 6041,0 \times 2041,0 \times 4041,0 \times 0041,0 \times 7 f 81,0 \times 3 f 81$, $0 \times 5 f 81,0 x 1 f 81,0 \times 6 f 81,0 \times 2 f 81,0 \times 4 f 81,0 \times 0 f 81,0 \times 7781,0 \times 3781$, $0 \times 5781,0 \times 1781,0 \times 5241,0 \times 0241,0 \times 4781,0 \times 7 \mathrm{c} 41,0 \times 6781,0 \times 3 b 81$, $0 \times 5 \mathrm{~b} 81,0 \times 1 \mathrm{~b} 81,0 \times 6 \mathrm{~b} 81,0 \times 2 \mathrm{~b} 81,0 \times 4 \mathrm{~b} 81,0 \times 0 \mathrm{~b} 81,0 \times 7381,0 \times 3381$, $0 \times 5381,0 x 1381,0 \times 6381,0 \times 2381,0 x 4381,0 x 0381,0 \times 7 d 81,0 \times 3 d 81$, $0 x 5 d 81,0 x 1 d 81,0 x 6 d 81,0 x 2781,0 x 0781,0 x 7 b 81,0 x 2 d 81,0 x 3581$, $0 \times 5581,0 x 1581,0 \times 6581,0 \times 2581,0 \times 4581,0 \times 0581,0 \times 7981,0 \times 7581$, $0 \times 4 \mathrm{~d} 81,0 \times 1981,0 \times 6981,0 \times 2981,0 \times 4981,0 \times 5981,0 \times 0981,0 \times 3181$, $0 \times 7181,0 \times 24 \mathrm{c} 3,0 \times 3981,0 \times 0 \mathrm{~d} 81,0 \times 2241,0 \times 6241,0 \times 1241,0 \times 0083$, $0 \times 4083,0 \times 2083,0 \times 6083,0 \times 2883,0 \times 4241,0 \times 6883,0 \times 1083,0 \times 5083$, $0 \times 3083,0 \times 3883,0 \times 5441,0 \times 3441,0 \times 7441,0 \times 2 c 41,0 \times 6 c 41,0 \times 7083$, $0 x 0883,0 x 3483,0 x 14 c 3,0 x 1 c 83,0 x 0 c c 3,0 x 00 c 3,0 x 0681,0 x 0283$, $0 x 0281,0 x 0143,0 x 0081,0 x 0043,0 x 0101,0 x 00 c 1,0 x 0078,0 x 003 d$, $0 \times 0023,0 x 0021,0 x 0013,0 x 0011,0 x 0008,0 \times 0009,0 \times 0000,0 \times 0002$, \};
uint 8 Code3Len [256] $=\{$
3, 3, 3, 4, 4, 5, 6, 6, 7, 7, 8, 8, 9, 9, 9, 10, $10,11,12,12,13,13,14,14,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,14,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,14,13,13,12,12,12,11$, $11,10,10,9,9,8,6,7,6,6,5,5,5,4,4,3$, \};


#### Abstract

/* dumped from 'exp06.code' */ uint16 Code4Bits [256] $=\{$ $0 \times 0005,0 \times 0007,0 x 0004,0 \times 0001,0 x 0010,0 x 000 a, 0 x 0009,0 \times 0018$, $0 x 001 a, ~ 0 x 0019, ~ 0 x 0038, ~ 0 x 003 a, ~ 0 x 0039, ~ 0 x 0078, ~ 0 x 007 a, ~ 0 x 0000$, $0 x 0002,0 x 0006,0 x 0300,0 x 0102,0 x 0306,0 x 0480,0 \times 0482,0 \times 0486$, $0 \times 0280,0 \times 0282,0 \times 0682,0 \times 0 a 80,0 \times 1680,0 \times 1 \mathrm{~d} 46,0 \times 0 b 46,0 \times 3 e 80$, $0 \times 2 \mathrm{~d} 46,0 \times 2680,0 \times 0680,0 \times 3646,0 \times 5646,0 \times 1646,0 \times 6646,0 \times 2646$, $0 \times 4646, ~ 0 \times 0646,0 \times 7 a 46,0 \times 3 a 46,0 \times 5 a 46,0 \times 1 a 46,0 \times 6 a 46,0 \times 2 a 46$, $0 x 4 a 46,0 x 0 a 46,0 x 7246,0 x 3246,0 x 5246,0 x 1246,0 x 6246,0 \times 2246$, $0 x 4246,0 x 0246,0 x 7 c 46,0 x 3 c 46,0 x 5 c 46,0 x 1 c 46,0 x 6 c 46,0 x 2 c 46$, $0 x 4 c 46,0 x 0 c 46,0 x 7446,0 x 3446,0 x 5446,0 x 1446,0 \times 6446,0 \times 2446$, $0 \times 4446,0 \times 0446,0 \times 7846,0 \times 3846,0 \times 5846,0 \times 1846,0 \times 6846,0 \times 2846$, $0 \times 4846, ~ 0 \times 0846,0 \times 7046,0 \times 3046,0 \times 5046,0 \times 1046,0 \times 6046,0 \times 2046$, $0 \times 4046,0 \times 0046,0 \times 7 f 86,0 \times 3 f 86,0 \times 5 f 86,0 \times 1 f 86,0 x 6 f 86,0 \times 2 f 86$, $0 x 4 f 86,0 x 0 f 86,0 x 7786,0 \times 0546,0 \times 2546,0 \times 4546,0 \times 6786,0 \times 2786$, $0 \times 4786,0 x 0786,0 \times 7 b 86,0 x 3 b 86,0 x 5 b 86,0 x 1 b 86,0 \times 6 b 86,0 \times 2 b 86$, $0 \times 7646,0 x 3786,0 x 7386,0 x 1546,0 x 6546,0 x 1386,0 \times 6386,0 \times 2386$, $0 \times 4386,0 \times 0386,0 \times 3546,0 \times 5546,0 \times 5 d 86,0 x 1 d 86,0 \times 7546,0 \times 0 d 46$, $0 \times 4 d 46,0 x 0 d 86,0 \times 7586,0 \times 3586,0 \times 5586,0 \times 1586,0 \times 6586,0 \times 2586$, $0 \times 4586,0 \times 0586,0 \times 7986,0 \times 3986,0 \times 5986,0 \times 1986,0 \times 6986,0 \times 2986$, $0 \times 4986,0 \times 5786,0 \times 4 b 86,0 \times 3186,0 \times 5186,0 \times 1186,0 \times 6186,0 \times 0$ b 86 , $0 x 0986$, $0 \times 0186,0 x 7 e 86, ~ 0 x 3 e 86, ~ 0 x 5 e 86, ~ 0 x 1 e 86, ~ 0 x 6 e 86, ~ 0 x 2 e 86$, $0 \times 4 e 86,0 x 0 e 86,0 x 7686,0 x 3686,0 \times 5686,0 x 1686,0 \times 6686,0 \times 2686$, 0x7186, 0x2186, 0x7a86, 0x4186, 0x4686, 0x1a86, 0x6a86, 0x2a86, $0 \times 4 a 86,0 \times 0 a 86,0 \times 7286,0 \times 0686,0 \times 3 a 86,0 \times 5 a 86,0 \times 3286,0 \times 2286$, $0 \times 4286,0 \times 5286,0 \times 6680,0 \times 0286,0 \times 6286,0 \times 1286,0 \times 1786,0 \times 0 e 46$, $0 \times 4 \mathrm{e} 46,0 \times 2 \mathrm{e} 46,0 \mathrm{x} 4 \mathrm{~d} 86,0 \times 2 \mathrm{~d} 86,0 \times 6 \mathrm{~d} 86,0 \times 3 \mathrm{~d} 86,0 \times 7 \mathrm{~d} 86,0 \times 5386$, $0 \times 3386,0 x 6 e 46,0 x 1 e 46,0 x 5 e 46,0 x 3 e 46,0 x 7 e 46,0 x 0146,0 \times 4146$, $0 \times 2146,0 x 6146,0 x 1146,0 x 5146,0 x 3146,0 x 7146,0 x 0946,0 \times 4946$, $0 \times 2946,0 x 6946,0 x 1946,0 x 5946,0 x 3946,0 x 7946,0 \times 3346,0 \times 4680$, $0 \times 1346,0 x 1 e 80,0 x 1 b 46,0 x 0346,0 x 0 e 80,0 x 1 a 80,0 x 0 e 82,0 \times 0 a 82$, $0 x 0746,0 x 0086,0 x 0082,0 x 0080,0 x 0106,0 x 0302,0 \times 0100,0 \times 0182$, $0 \times 0180,0 \times 00 c 6,0 \times 00 f a, 0 \times 00 f 8,0 \times 0079,0 \times 0042,0 \times 0040,0 \times 0026$, $0 \times 0022,0 \times 0020,0 \times 0016,0 \times 0012,0 \times 0008,0 \times 000 e, 0 \times 000 c, 0 \times 0003$, \};


uint8 Code4Len[256] $=\{$
3, 3, 4, 4, 5, 5, 5, 6, 6, 6, 7, 7, 7, 8, 8, 9, $9,9,10,10,10,11,11,11,12,12,12,13,13,13,13,14$, $14,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$, $15,15,15,15,15,15,15,15,15,15,15,15,15,15,15,15$,




## 9. Appendix E: converting Huffman tables to tree form

```
typedef struct ht_node {
    int value;
    struct ht_node *zero, *one;
} Huffman_node;
Huffman_node *ht_insert(root, value, code, len)
Huffman_node *root;
int value, code, len;
{
    int bit;
    Huffman_node **branch;
    if(!root) {
        root = (Huffman_node *) malloc(sizeof(Huffman_node));
        root->zero = root->one = 0;
    }
    if(len == 0) {
        root->value = value;
    }
    else {
        bit = code&0x1;
        if(bit == O) branch = &root->zero;
        else branch = &root->one;
    if(*branch == 0) {
```

```
            *branch = (Huffman_node *) malloc(sizeof(Huffman_node));
                (*branch)->zero = 0;
            (*branch)->one = 0;
        }
        ht_insert(*branch, value, code>>1, len-1);
    }
    return root;
}
Huffman_node *ht_tree_gen_predictive(i)
int i;
{
    Huffman_node *tree = 0;
    uint16 *code;
    uint8 *len;
    uint8 *requant;
    code = CodeBitsVec[i];
    len = CodeLenVec[i];
    requant = CodeRequantVec[i];
    tree = ht_insert(tree, requant[0], code[0], len[0]);
    for(i = 1; i < 128; i++) {
        if(requant[i] != requant[i-1])
        tree = ht_insert(tree, requant[i], code[i], len[i]);
    }
    tree = ht_insert(tree, requant[255], code[255], len[255]);
    for(i = 254; i >= 128; i--) {
        if(requant[i] != requant[i+1])
            tree = ht_insert(tree, requant[i], code[i], len[i]);
    }
    return tree;
}
Huffman_node *ht_tree_gen_transform(i)
int i;
{
    Huffman_node *tree = 0;
    uint32 *code;
    uint8 *len;
    int NCodes;
    code = CodeBitsVec[i];
    len = CodeLenVec[i];
    NCodes = CodeSizes[i];
    for(i = 0; i < NCodes; i++) {
        tree = ht_insert(tree, i, code[i], len[i]);
    }
    return tree;
```


## 10. Appendix F: global map crosstrack summing tables

These tables map output pixel in the global map to the number of input pixels summed and the offset of these pixels from the starting pixel. Using the EDIT_MODE_ID to determine the start pixel of the image, the mapping to and from detector pixel and global map pixel is determined.

The tables have four columns: the output pixel number starting from 0 , the summing for that pixel, and the starting and ending hardware pixel offsets relative to EDIT_MODE_ID that are summed to form the output pixel.

```
7.5 km/pixel nominal resolution; output width 384.
```

| 0 | 1 | 0 | 0 |
| :--- | :--- | :--- | :--- |
| 1 | 1 | 1 | 1 |
| 2 | 1 | 2 | 2 |
| 3 | 1 | 3 | 3 |
| 4 | 1 | 4 | 4 |
| 5 | 1 | 5 | 5 |
| 6 | 1 | 6 | 6 |
| 7 | 1 | 7 | 7 |
| 8 | 1 | 8 | 8 |
| 9 | 1 | 9 | 9 |
| 10 | 1 | 10 | 10 |
| 11 | 1 | 11 | 11 |
| 12 | 1 | 12 | 12 |
| 13 | 1 | 13 | 13 |
| 14 | 1 | 14 | 14 |
| 15 | 1 | 15 | 15 |
| 16 | 1 | 16 | 16 |
| 17 | 1 | 17 | 17 |
| 18 | 1 | 18 | 18 |
| 19 | 1 | 19 | 19 |
| 20 | 1 | 20 | 20 |
| 21 | 1 | 21 | 21 |
| 22 | 1 | 22 | 22 |
| 23 | 1 | 23 | 23 |
| 24 | 1 | 24 | 24 |
| 25 | 1 | 25 | 25 |
| 26 | 1 | 26 | 26 |
| 27 | 1 | 27 | 27 |
| 28 | 1 | 28 | 28 |
| 29 | 1 | 29 | 29 |
| 30 | 1 | 30 | 30 |
| 31 | 1 | 31 | 31 |
| 32 | 1 | 32 | 32 |
| 33 | 1 | 33 | 33 |
| 34 | 1 | 34 | 34 |
| 35 | 1 | 35 | 35 |
| 36 | 1 | 36 | 36 |
| 37 | 1 | 37 | 37 |
| 38 | 1 | 38 | 38 |
| 39 | 1 | 39 | 39 |
|  |  |  |  |


| 40 | 1 | 40 | 40 |
| :--- | :--- | :--- | :--- |
| 41 | 1 | 41 | 41 |
| 42 | 1 | 42 | 42 |
| 43 | 1 | 43 | 43 |
| 44 | 1 | 44 | 44 |
| 45 | 1 | 45 | 45 |
| 46 | 1 | 46 | 46 |
| 47 | 1 | 47 | 47 |
| 48 | 1 | 48 | 48 |
| 49 | 2 | 49 | 50 |
| 50 | 2 | 51 | 52 |
| 51 | 2 | 53 | 54 |
| 52 | 2 | 55 | 56 |
| 53 | 2 | 57 | 58 |
| 54 | 2 | 59 | 60 |
| 55 | 2 | 61 | 62 |
| 56 | 2 | 63 | 64 |
| 57 | 2 | 65 | 66 |
| 58 | 2 | 67 | 68 |
| 59 | 2 | 69 | 70 |
| 60 | 2 | 71 | 72 |
| 61 | 2 | 73 | 74 |
| 62 | 2 | 75 | 76 |
| 63 | 2 | 77 | 78 |
| 64 | 2 | 79 | 80 |
| 65 | 2 | 81 | 82 |
| 66 | 2 | 83 | 84 |
| 67 | 2 | 85 | 86 |
| 68 | 2 | 87 | 88 |
| 69 | 2 | 89 | 90 |
| 70 | 2 | 91 | 92 |
| 71 | 2 | 93 | 94 |
| 72 | 3 | 95 | 97 |
| 73 | 3 | 98 | 100 |
| 74 | 3 | 101 | 103 |
| 75 | 3 | 104 | 106 |
| 76 | 3 | 107 | 109 |
| 77 | 3 | 110 | 112 |
| 78 | 3 | 113 | 115 |
| 79 | 3 | 116 | 118 |
| 80 | 3 | 119 | 121 |
| 81 | 3 | 122 | 124 |
| 82 | 3 | 125 | 127 |
| 83 | 3 | 128 | 130 |
| 84 | 3 | 131 | 133 |
| 85 | 3 | 134 | 136 |
| 86 | 3 | 137 | 139 |
| 87 | 3 | 140 | 142 |
| 88 | 4 | 143 | 146 |
| 89 | 4 | 147 | 150 |
| 90 | 4 | 151 | 154 |
| 91 | 4 | 155 | 158 |
| 92 | 4 | 159 | 162 |
|  |  |  |  |


| 93 | 4 | 163 | 166 |
| :--- | :--- | :--- | :--- |
| 94 | 4 | 167 | 170 |
| 95 | 4 | 171 | 174 |
| 96 | 4 | 175 | 178 |
| 97 | 4 | 179 | 182 |
| 98 | 4 | 183 | 186 |
| 99 | 4 | 187 | 190 |
| 100 | 5 | 191 | 195 |
| 101 | 5 | 196 | 200 |
| 102 | 5 | 201 | 205 |
| 103 | 5 | 206 | 210 |
| 104 | 5 | 211 | 215 |
| 105 | 5 | 216 | 220 |
| 106 | 5 | 221 | 225 |
| 107 | 5 | 226 | 230 |
| 108 | 5 | 231 | 235 |
| 109 | 6 | 236 | 241 |
| 110 | 6 | 242 | 247 |
| 111 | 6 | 248 | 253 |
| 112 | 6 | 254 | 259 |
| 113 | 7 | 260 | 266 |
| 114 | 7 | 267 | 273 |
| 115 | 7 | 274 | 280 |
| 116 | 7 | 281 | 287 |
| 117 | 7 | 288 | 294 |
| 118 | 7 | 295 | 301 |
| 119 | 7 | 302 | 308 |
| 120 | 8 | 309 | 316 |
| 121 | 8 | 317 | 324 |
| 122 | 8 | 325 | 332 |
| 123 | 8 | 333 | 340 |
| 124 | 8 | 341 | 348 |
| 125 | 8 | 349 | 356 |
| 126 | 9 | 357 | 365 |
| 127 | 9 | 366 | 374 |
| 128 | 9 | 375 | 383 |
| 129 | 9 | 384 | 392 |
| 130 | 9 | 393 | 401 |
| 131 | 10 | 402 | 411 |
| 132 | 10 | 412 | 421 |
| 133 | 10 | 422 | 431 |
| 134 | 10 | 432 | 441 |
| 135 | 10 | 442 | 451 |
| 136 | 11 | 452 | 462 |
| 137 | 11 | 463 | 473 |
| 138 | 11 | 474 | 484 |
| 139 | 11 | 485 | 495 |
| 140 | 12 | 496 | 507 |
| 141 | 13 | 508 | 520 |
| 142 | 13 | 521 | 533 |
| 143 | 13 | 534 | 546 |
| 145 | 13 | 547 | 559 |
| 14 | 560 | 573 |  |
| 10 |  |  |  |
| 10 |  |  |  |


| 146 | 14 | 574 | 587 |
| :--- | :--- | :--- | :--- |
| 147 | 14 | 588 | 601 |
| 148 | 14 | 602 | 615 |
| 149 | 15 | 616 | 630 |
| 150 | 15 | 631 | 645 |
| 151 | 15 | 646 | 660 |
| 152 | 16 | 661 | 676 |
| 153 | 16 | 677 | 692 |
| 154 | 16 | 693 | 708 |
| 155 | 17 | 709 | 725 |
| 156 | 17 | 726 | 742 |
| 157 | 18 | 743 | 760 |
| 158 | 18 | 761 | 778 |
| 159 | 19 | 779 | 797 |
| 160 | 19 | 798 | 816 |
| 161 | 19 | 817 | 835 |
| 162 | 20 | 836 | 855 |
| 163 | 20 | 856 | 875 |
| 164 | 20 | 876 | 895 |
| 165 | 21 | 896 | 916 |
| 166 | 21 | 917 | 937 |
| 167 | 21 | 938 | 958 |
| 168 | 22 | 959 | 980 |
| 169 | 22 | 981 | 1002 |
| 170 | 23 | 1003 | 1025 |
| 171 | 24 | 1026 | 1049 |
| 172 | 24 | 1050 | 1073 |
| 173 | 24 | 1074 | 1097 |
| 174 | 25 | 1098 | 1122 |
| 175 | 25 | 1123 | 1147 |
| 176 | 25 | 1148 | 1172 |
| 177 | 25 | 1173 | 1197 |
| 178 | 26 | 1198 | 1223 |
| 179 | 26 | 1224 | 1249 |
| 180 | 26 | 1250 | 1275 |
| 181 | 26 | 1276 | 1301 |
| 182 | 26 | 1302 | 1327 |
| 183 | 27 | 1328 | 1354 |
| 184 | 27 | 1355 | 1381 |
| 185 | 27 | 1382 | 1408 |
| 186 | 27 | 1409 | 1435 |
| 187 | 27 | 1436 | 1462 |
| 188 | 27 | 1463 | 1489 |
| 189 | 27 | 1490 | 1516 |
| 190 | 27 | 1517 | 1543 |
| 191 | 27 | 1544 | 1570 |
| 192 | 27 | 1571 | 1597 |
| 193 | 27 | 1598 | 1624 |
| 194 | 27 | 1625 | 1651 |
| 195 | 27 | 1652 | 1678 |
| 197 | 27 | 1679 | 1705 |
| 198 | 27 | 1733 | 1759 |
|  |  |  |  |


| 199 | 27 | 1760 | 1786 |
| :--- | :--- | :--- | :--- |
| 200 | 27 | 1787 | 1813 |
| 201 | 26 | 1814 | 1839 |
| 202 | 26 | 1840 | 1865 |
| 203 | 26 | 1866 | 1891 |
| 204 | 26 | 1892 | 1917 |
| 205 | 26 | 1918 | 1943 |
| 206 | 25 | 1944 | 1968 |
| 207 | 25 | 1969 | 1993 |
| 208 | 25 | 1994 | 2018 |
| 209 | 25 | 2019 | 2043 |
| 210 | 24 | 2044 | 2067 |
| 211 | 24 | 2068 | 2091 |
| 212 | 24 | 2092 | 2115 |
| 213 | 23 | 2116 | 2138 |
| 214 | 22 | 2139 | 2160 |
| 215 | 22 | 2161 | 2182 |
| 216 | 21 | 2183 | 2203 |
| 217 | 21 | 2204 | 2224 |
| 218 | 21 | 2225 | 2245 |
| 219 | 20 | 2246 | 2265 |
| 220 | 20 | 2266 | 2285 |
| 221 | 20 | 2286 | 2305 |
| 222 | 19 | 2306 | 2324 |
| 223 | 19 | 2325 | 2343 |
| 224 | 19 | 2344 | 2362 |
| 225 | 18 | 2363 | 2380 |
| 226 | 18 | 2381 | 2398 |
| 227 | 17 | 2399 | 2415 |
| 228 | 17 | 2416 | 2432 |
| 229 | 16 | 2433 | 2448 |
| 230 | 16 | 2449 | 2464 |
| 231 | 16 | 2465 | 2480 |
| 232 | 15 | 2481 | 2495 |
| 233 | 15 | 2496 | 2510 |
| 234 | 15 | 2511 | 2525 |
| 235 | 14 | 2526 | 2539 |
| 236 | 14 | 2540 | 2553 |
| 237 | 14 | 2554 | 2567 |
| 238 | 14 | 2568 | 2581 |
| 239 | 13 | 2582 | 2594 |
| 240 | 13 | 2595 | 2607 |
| 241 | 13 | 2608 | 2620 |
| 242 | 13 | 2621 | 2633 |
| 243 | 12 | 2634 | 2645 |
| 244 | 11 | 2646 | 2656 |
| 245 | 11 | 2657 | 2667 |
| 246 | 11 | 2668 | 2678 |
| 247 | 11 | 2679 | 2689 |
| 248 | 10 | 2690 | 2699 |
| 249 | 10 | 2700 | 2709 |
| 250 | 10 | 2710 | 2719 |
| 251 | 10 | 2720 | 2729 |
|  |  |  |  |


| 252 | 10 | 2730 | 2739 |
| :--- | :--- | :--- | :--- |
| 253 | 9 | 2740 | 2748 |
| 254 | 9 | 2749 | 2757 |
| 255 | 9 | 2758 | 2766 |
| 256 | 9 | 2767 | 2775 |
| 257 | 9 | 2776 | 2784 |
| 258 | 8 | 2785 | 2792 |
| 259 | 8 | 2793 | 2800 |
| 260 | 8 | 2801 | 2808 |
| 261 | 8 | 2809 | 2816 |
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| 270 | 7 | 2875 | 2881 |
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| 283 | 5 | 2946 | 2950 |
| 284 | 4 | 2951 | 2954 |
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| 286 | 4 | 2959 | 2962 |
| 287 | 4 | 2963 | 2966 |
| 288 | 4 | 2967 | 2970 |
| 289 | 4 | 2971 | 2974 |
| 290 | 4 | 2975 | 2978 |
| 291 | 4 | 2979 | 2982 |
| 292 | 4 | 2983 | 2986 |
| 293 | 4 | 2987 | 2990 |
| 294 | 4 | 2991 | 2994 |
| 295 | 4 | 2995 | 2998 |
| 296 | 3 | 2999 | 3001 |
| 297 | 3 | 3002 | 3004 |
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| 317 | 2 | 3057 | 3058 |
| 318 | 2 | 3059 | 3060 |
| 319 | 2 | 3061 | 3062 |
| 320 | 2 | 3063 | 3064 |
| 321 | 2 | 3065 | 3066 |
| 322 | 2 | 3067 | 3068 |
| 323 | 2 | 3069 | 3070 |
| 324 | 2 | 3071 | 3072 |
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| 326 | 2 | 3075 | 3076 |
| 327 | 2 | 3077 | 3078 |
| 328 | 2 | 3079 | 3080 |
| 329 | 2 | 3081 | 3082 |
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| 336 | 1 | 3094 | 3094 |
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| 354 | 1 | 3112 | 3112 |
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| 363 | 1 | 3121 | 3121 |
| 364 | 1 | 3122 | 3122 |
| 365 | 1 | 3123 | 3123 |
| 366 | 1 | 3124 | 3124 |
| 367 | 1 | 3125 | 3125 |
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| 374 | 1 | 3132 | 3132 |
| 375 | 1 | 3133 | 3133 |
| 376 | 1 | 3134 | 3134 |
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$3.75 \mathrm{~km} /$ pixel nominal resolution; output width 768 .

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| 2 | 1 | 2 | 2 |
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| 4 | 1 | 4 | 4 |
| 5 | 1 | 5 | 5 |
| 6 | 1 | 6 | 6 |
| 7 | 1 | 7 | 7 |
| 8 | 1 | 8 | 8 |
| 9 | 1 | 9 | 9 |
| 10 | 1 | 10 | 10 |
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| 12 | 1 | 12 | 12 |
| 13 | 1 | 13 | 13 |
| 14 | 1 | 14 | 14 |
| 15 | 1 | 15 | 15 |
| 16 | 1 | 16 | 16 |
| 17 | 1 | 17 | 17 |
| 18 | 1 | 18 | 18 |
| 19 | 1 | 19 | 19 |
| 20 | 1 | 20 | 20 |
| 21 | 1 | 21 | 21 |
| 22 | 1 | 22 | 22 |
| 23 | 1 | 23 | 23 |


| 24 | 1 | 24 | 24 |
| :--- | :--- | :--- | :--- |
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| 27 | 1 | 27 | 27 |
| 28 | 1 | 28 | 28 |
| 29 | 1 | 29 | 29 |
| 30 | 1 | 30 | 30 |
| 31 | 1 | 31 | 31 |
| 32 | 1 | 32 | 32 |
| 33 | 1 | 33 | 33 |
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| 40 | 1 | 40 | 40 |
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| 75 | 1 | 75 | 75 |
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| 77 | 1 | 77 | 77 |
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| 86 | 1 | 86 | 86 |
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| 127 | 1 | 126 | 126 |
| 129 | 1 | 127 | 127 |
| 128 | 129 | 129 |  |
| 128 |  |  |  |
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| 120 |  |  |  |


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|  | 200 | 201 |  |
| 13 |  |  |  |


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| 283 | 6 | 555 | 560 |
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| 285 | 6 | 567 | 572 |
| 286 | 6 | 573 | 578 |
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| 298 | 7 | 655 | 661 |
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| 309 | 8 | 739 | 746 |
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| 337 | 11 | 1003 | 1013 |
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| 349 | 12 | 1143 | 1154 |
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| 356 | 13 | 1227 | 1239 |
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| 359 | 13 | 1266 | 1278 |
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| 361 | 13 | 1292 | 1304 |
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| 366 | 13 | 1357 | 1369 |
| 367 | 13 | 1370 | 1382 |
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| 374 | 13 | 1461 | 1473 |
| 375 | 13 | 1474 | 1486 |
| 376 | 13 | 1487 | 1499 |
| 377 | 13 | 1500 | 1512 |
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| 381 | 13 | 1552 | 1564 |
| 382 | 13 | 1565 | 1577 |
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| 384 | 13 | 1591 | 1603 |
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| 386 | 13 | 1617 | 1629 |
| 387 | 13 | 1630 | 1642 |
| 388 | 13 | 1643 | 1655 |
| 389 | 13 | 1656 | 1668 |
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| 391 | 13 | 1682 | 1694 |
| 392 | 13 | 1695 | 1707 |
| 393 | 13 | 1708 | 1720 |
| 394 | 13 | 1721 | 1733 |
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| 395 | 13 | 1734 | 1746 |
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| 401 | 13 | 1812 | 1824 |
| 402 | 13 | 1825 | 1837 |
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| 404 | 13 | 1851 | 1863 |
| 405 | 13 | 1864 | 1876 |
| 406 | 13 | 1877 | 1889 |
| 407 | 13 | 1890 | 1902 |
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| 415 | 12 | 1991 | 2002 |
| 416 | 12 | 2003 | 2014 |
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| 496 | 5 | 2689 | 2693 |
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| 521 | 4 | 2803 | 2806 |
| 522 | 4 | 2807 | 2810 |
| 523 | 4 | 2811 | 2814 |
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